Levels of Determinism in
Workers Compensation Reinsurance Commutations by Gary Blumsohn, FCAS

# Levels of Determinism in Workers' Compensation Reinsurance Commutations 

## Gary Blumsohn


#### Abstract

When commuting workers' compensation reinsurance claims, the standard method is to project the future value of the claims using stated assumptions for future medical usage, medical inflation, COLAs, and investment income. The actuary selects a best guess for each variable, and assumes this deterministic number will be realized in the future. To account for the date of death being stochastic, a mortality table is used to model the future lifetime.

By assuming deterministic values for future medical usage, medical inflation, COLAs, and investment income, the calculation ignores the possibilities of higher or lower values. It is shown that these do not generally balance out, and that the standard method produces biased results. In low reinsurance layers, the commutation amount is overstated, and in high layers it is understated. By removing deterministic assumptions from the calculation, bias is removed from the results. The paper gives a detailed, realistic, example to illustrate this.

The implications of the paper reach beyond the narrow realm of workers' compensation reinsurance commutations. The most obvious implications are for workers' compensation reserving, but the essential message applies to pricing and reserving of any excess insurance and reinsurance: deterministic assumptions often lead to biased results.


## Biography

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## Introduction

Excess reinsurance for workers' compensation generally pays out over many decades. While workers' compensation claims are usually reported to the insurer soon after the accident, and the insurer may soon report them to the reinsurer, the loss payments are slow, being made over the lifetime of the injured worker or even the lifetime of uninjured dependents. Consequently, even for reinsurance with a relatively modest retention, it can take many years to breach the retention, and many more years to exhaust a layer. For example, Gary Venter (1995) has estimated that it takes, on average, over 30 years to pay half the ultimate claim amount.

At some point after an excess reinsurance treaty ends, but before the losses have been fully paid, it is common to commute either the reinsurance treaty or the individual reinsured claims. The commutation is a transaction whereby the reinsurer pays the ceding company a flat amount, in exchange for canceling future liabilities. This saves costs for both parties, since the expense of submitting claims to the reinsurer and the cost of paying these claims are eliminated. It allows the parties to shut their reinsurance files and spend their time on more profitable activities.

The actuarial techniques for evaluating workers' compensation commutations differ from the techniques generally used in commutations of other lines of business. With workers' compensation (and in some other cases, like unlimited medical benefits for no-fault auto) the population of claims is generally known at the time of the commutation - there is very little lag in claims being reported to the primary company. Also, the amount of the payments is not dependent on some future court verdict. The payments are based on a fixed annual indemnity amount, subject, in some states, to an annual cost of living adjustment, and on the actual medical payments to be incurred by the claimant. In the case of permanent-total disability cases, these payments often continue for the rest of the claimant's life. Since the losses are so closely tied to the claimant's life span, it is natural to use the mortality techniques more generally associated with life actuaries than with their property/casualty brethren.

While the actuarial techniques in these calculations are by now well accepted, this paper will argue that the results are systematically biased and can be improved upon. The life-table techniques generally assume that mortality is stochastic, but that various other variables (amount of medical care, inflation rates, investment yields) are deterministic. These deterministic variables can be stripped away, much as earlier actuaries stripped away the assumption of deterministic mortality. By doing this, we improve the accuracy of our calculations and eliminate some biases.

Though this paper will express the issues in terms of commutations, the issues are similar when doing excess workers' compensation case reserving using life-table methods. In other words, even though there are layers that we do not expect to get hit, we should carry reserves for those layers. Over a pool of claimants, some will die before hitting the upper layers, and others will not. The goal should be to get the reserves right on average.

## Life-Table Techniques

## Method 1: Totally deterministic calculation

The simplest method for performing the calculation is to assume the claimant will live to his life expectancy and then calculate the present value of the future stream of payments for this time. This method, though simple and appealing, is wrong. As actuaries are well aware, and as will be discussed in detail later, assuming a deterministic life-span leads to systematically incorrect results.

## Method 2: Stochastic date of death

The actuarial literature contains several papers that discuss the calculation of reserves for long-term workers' compensation cases, and the calculation of a commutation value only differs in minor respects from the calculation of a
reserve. ${ }^{1}$ It is generally accepted among actuaries, and, to a lesser extent, the wider insurance community, that the right way to reserve these claims is through the life-table techniques routinely used by life actuaries. The big advance of the life-table method over a method that assumes the insured will live to his exact life expectancy is that it takes into account the probabilities of the claimant dying either earlier or later than the life expectancy. This is particularly important when dealing with excess reinsurance, because if the claimant lives beyond his life expectancy, a higher layer may be breached.

The move from a deterministic number of payments to a stochastic number of payments, through the use of a life table, is a crucial advance in the accuracy of the calculation. A life-table approach allows for the possibility that a claimant may live to age 95 , and hence pierce reinsurance layers that would not have been pierced if he had died at his life expectancy. Thus, in calculating the value of a commutation for a high reinsurance layer, there may be a positive amount in a layer, even though the layer will not be hit unless the claimant lives well beyond his life expectancy. In other words, if the claimant lives to his life expectancy of, say, 75 , a retention of $\$ 5$ million may not be breached. But if he lives another 10 years, to 85 , the total payments in the additional 10 years of life may be enough to breach the $\$ 5$ million retention.

Put another way, there will be a positive commutation amount in layers that we do not expect to get hit. The commutation is (effectively) a purchase of reinsurance by the reinsurer, covering the possibility of the claimant breaching the retention. There need not be a guarantee that the retention will be breached in order for the expected losses in the layer to be positive.

[^0]
## Assumptions

In doing the commutation calculation, the actuary needs to make a number of assumptions: ${ }^{2}$

- An appropriate mortality table must be selected.
- For workers' compensation, the indemnity amount is generally known, but it may be subject to cost-of-living adjustments, which depend usually on movements in the average weekly wage in the state.
- The amount of medical expenses must be estimated for each year in the future. This is usually done in two steps: first, estimate the future annual medical expense in today's dollars, and, second, estimate what future medical price inflation will be, to convert today's dollars into tomorrow's dollars.
- The rate at which to discount future dollar payments to present value.

Once assumptions have been chosen, the calculations can be performed, and the parties can agree on an amount for settlement. ${ }^{3}$

[^1]
## Levels of Determinism

The problem, though, as this paper will show, is that the life-table method ignores fluctuations in other key variables. Just as it is wrong to assume a claimant's life-span is fixed, so it is wrong to assume that medical usage and inflation are fixed. Assuming a deterministic life-span leads to inaccurate calculations. Likewise, assuming deterministic medical care and inflation will lead to inaccurate calculations. A deterministic life span implies that high layers of reinsurance will not be hit, when they do, in fact, have a chance of getting hit if the claimant lives long enough. Likewise, deterministic medical care and deterministic inflation understate the costs to the highest reinsurance layers.

Just as Ferguson's paper stripped away one level of determinism from these calculations, so we must strip away further levels of determinism, if we want to get greater accuracy.

## A Comprehensive Example

The following section gives a realistic example of how one would strip determinism from the model. The calculations are significantly more
ii) If the claim is commuted, the reinsurer takes down the reserves it holds for the claim and puts up a paid loss. If the reserve is greater than the paid loss (as it frequently is, because statutory accounting demands undiscounted, or perhaps tabularly-discounted, reserves) the reinsurer's profit rises by the difference between the reserve and the paid loss. This profit is taxable.
The ceding company has the reverse entries on its books.

When commuting, the tax benefits or tax hits are as important as any other cash flows. They are, however, beyond the scope of this paper. For a detailed discussion of the tax effects, see Connor and Oisen (1991).
complex than the standard life-table method. However, using computers, the problems are not insurmountable, and the results are significantly less biased.

## The Data

Suppose we are commuting the following claim:

- Joe Soap has been permanently and totally disabled since 1992. On 1/1/97, the effective date of the commutation, he will turn 35 years old.
- Through $12 / 31 / 96$, the primary company has paid out $\$ 300,000$ in medical expenses and $\$ 70,000$ in indemnity payments. ${ }^{4}$ This is an unusually large claim, but by no means unheard of. A smaller claim would not affect any of the conclusions.
- In 1996, Mr. Soap received indemnity payments at the rate of $\$ 20,000$ per year, but these are subject to a cost-of-living adjustment that is effective on January 1 of each year, based on the increase in the state-average-weeklywage over the previous year.
- The best estimate of his future medical expenses is $\$ 70,000$ per year, in 1996 dollars. These will increase with medical inflation.
- Joe's mortality follows that for the overall male population, as shown in the 1990 US census. (Exhibit 1) Based on this mortality, his life expectancy is 39.6 years. 5

4 For simplicity, we have ignored ALAE in this example. ALAE is usually covered by the reinsurance, and should be included if this is the case. However, ALAE is usually a small portion of workers' compensation claims, and including it would not change any of the principles discussed in this paper.

5 One may wonder whether it is reasonable to use mortality for the general population, when Joe is presumably rather badly injured. Depending on the claimant's condition, one may wish to use impaired mortality tables. It should be noted, however, that contrary to the usual

- Our best guess of future inflation is $4.2 \%$ per year. ${ }^{6}$ We assume, for convenience, that changes in the state-average-weekly-wage follow the overall price inflation in the economy. (We generally expect wages to rise faster than prices over the long run. As productivity increases, real wages generally rise.)
- Our best guess of future medical inflation is $5.36 \%$ per year. ${ }^{7}$ Exhibit 2 shows historical changes in the CPI and medical CPI.
intuition on the matter, workers' compensation lifetime-pension cases do not, overall, appear to have higher mortality rates than those of the general population. Gillam (1993) shows that at some ages, the mortality of workers' compensation claimants is even below that of the general population. Gillam's technique weights each claimant equally. However, over a large book of business, that may not be the optimal approach, since some claims are bigger than others. In particular, many of the really big claims are for people who are extremely badly injured and require, say, 24 -hour attendant care. One might speculate that a dollar-weighted average of mortality could be found to be significantly worse than the general population.

By using the 1990 census table, we are ignoring future mortality improvements, that may result from better medical care in the future. As medical care improves, mortality rates have historically dropped. By ignoring mortality improvements, we are implicitly assuming Joe Soap has impaired mortality.

6
The $4.2 \%$ used in the text is the average of actual Consumer Price Index changes from 1935 to 1995 , using data supplied by the US Bureau of Labor Statistics. Using this average was a matter of convenience, rather than a matter of believing that it is a good predictor of future inflation. The data, though not a predictor of future inflation, give one a reasonable idea of how inflation could move over the long term.

Steeneck (1996, p. 252), when faced with projecting indemnity inflation into the indefinite future, selects $4.0 \%$ as his annual rate.

7 As with CPI changes, this average is based on changes in the Medical component of the CPI from 1935 to 1995. Also, as with the CPI, I am using this number for illustrative purposes,

- The appropriate risk-adjusted discount rate is assumed to be the same as the expected annual inflation rate, namely $4.2 \%$ per year. Again, this assumption is for convenience in this illustrative example. In general, discounting should be based on some investment yield, less a risk adjustment to take care of the riskiness in the flows being discounted. (Butsic, 1988) Real interest rates will usually be positive, and I am assuming the appropriate risk adjustment exactly offsets the real interest rate. (This is not the same as assuming that inflation is zero and discounting is done at a zero rate. Assuming zero inflation will ensure that higher reinsurance layers are not touched, when, in fact, there is a great likelihood that they will be hit.)
- The primary insurer has purchased reinsurance in a number of layers:

| Layer 1 | $\$ 130,000$ excess of $\$ 370,000$ |
| :--- | :--- |
| Layer 2 | $\$ 500,000$ excess of $\$ 500,000$ |
| Layer 3 | $\$ 1$ million excess of $\$ 1$ million |
| Layer 4 | $\$ 3$ million excess of $\$ 2$ million |
| Layer 5 | $\$ 5$ million excess of $\$ 5$ million |
| Layer 6 | $\$ 5$ million excess of $\$ 10$ million |
| Layer 7 | $\$ 5$ million excess of $\$ 15$ million |
| Layer 8 | $\$ 10$ million excess of $\$ 20$ million |
| Layer 9 | $\$ 10$ million excess of $\$ 30$ million |
| Layer 10 | $\$ 10$ million excess of $\$ 40$ million |
| Layer 11 | $\$ 10$ million excess of $\$ 50$ million |

rather than as a prediction of future medical inflation. Steeneck (1996, p. 252), projects annual medical inflation of $5.5 \%$.

| Layer 12 | $\$ 10$ million excess of $\$ 60$ million |
| :--- | :--- |
| Layer 13 | $\$ 10$ million excess of $\$ 70$ million |
| Layer 14 | $\$ 10$ million excess of $\$ 80$ million |
| Layer 15 | $\$ 10$ million excess of $\$ 90$ million |
| Layer 16 | Unlimited excess of $\$ 100$ million |

The first layer is somewhat artificial: since $\$ 370,000$ has already been paid by the end of 1996, the layer will pay from the first dollar in 1997. This allows us to look at the value of all future payments. Also, the top layer is somewhat unusual. Reinsurers do not usually sell unlimited layers. However, it will be instructive to see the value of reinsurance on the unlimited top layer.

## Method 1: Totally Deterministic Calculation

Though actuaries would not use a totally deterministic method (i.e., one that assumes Joe lives exactly to his life expectancy and then dies) it is instructive to see what result this produces. Exhibit 3 shows this calculation, and the table below summarizes the results.

| Layer <br> (in $\$, 000 \mathrm{~s}$ ) | Nominal Payments <br> (in \$,000s) | Present Value of <br> Payments <br> (in \$,000s) |
| :---: | :---: | :---: |
| 130 xs 370 | 130 | 126 |
| $500 \times \mathrm{xs} \mathrm{500}$ | 500 | 430 |
| $1,000 \times \mathrm{xs} 1,000$ | 1,000 | 679 |
| $3,000 \times \mathrm{xs} 2,000$ | 3,000 | 1,358 |
| $5,000 \times \mathrm{xs} 5,000$ | 5,000 | 1,388 |
| $5,000 \times \mathrm{xs} 10,000$ | 1,911 | 399 |
| Higher Layers | 0 | 0 |
| Total, All Layers | $\mathbf{1 1 , 5 4 1}$ | $\mathbf{4 , 3 8 0}$ |

Total payments are $\$ 11.5$ million, exhausting the five layers and part of the sixth. The lack of payments in higher layers implies these layers will not be breached, and no commutation payment is needed. This method ignores the chance of death either earlier or later than one's life expectancy. We correct this by using a life-table approach, following Ferguson.

## Method 2: Stochastic date of death

In Method 2, a mortality table is used to model Joe's life span, as shown in Exhibit 4. The table below compares the commutation amounts from Methods 1 and 2.

| $\begin{gathered} \text { Layer } \\ \text { (in } \$, 000 \mathrm{~s} \text { ) } \end{gathered}$ | $\begin{gathered} \hline \text { Expected Nominal } \\ \text { Payments } \\ \text { (in } \$, 000 \mathrm{~s} \text { ) } \\ \hline \end{gathered}$ |  | Expected Present-ValuePayments(in $\$, 000$ s) |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Method 1 | Method 2 | Method 1 | Method 2 |
| 130 xs 370 | 130.0 | 129.7 | 126.0 | 125.7 |
| $500 \times 500$ | 500.0 | 494.9 | 430.2 | 425.9 |
| 1,000 xs 1,000 | 1,000.0 | 970.6 | 679.4 | 659.8 |
| $3,000 \times \mathrm{xs} 2,000$ | 3,000.0 | 2,729.7 | 1,357.8 | 1,241.3 |
| $5,000 \times \mathrm{xs}, 000$ | 5,000.0 | 3,734.8 | 1,387.7 | 1,048.5 |
| 5,000 xs 10,000 | 1,910.9 | 2,647.3 | 398.7 | 510.2 |
| 5,000 xs 15,000 | 0.0 | 1,704.2 | 0.0 | 254.6 |
| 10,000 xs 20,000 | 0.0 | 1,523.1 | 0.0 | 177.9 |
| $10,000 \times 30,000$ | 0.0 | 374.7 | 0.0 | 33.6 |
| 10,000 xs 40,000 | 0.0 | 61.0 | 0.0 | 4.5 |
| $10,000 \times 50,000$ | 0.0 | 6.5 | 0.0 | 0.4 |
| 10,000 xs 60,000 | 0.0 | 0.4 | 0.0 | 0.0 |
| Higher layers | 0.0 | 0.0 | 0.0 | 0.0 |
| Total, all Layers | 11,540.9 | 14,376.9 | 4,379.7 | 4,482.5 |

Several points are worth noting:

- Using Method 2, twelve layers have non-zero commutation amounts, compared to only six layers using Method 1. This is because Method 2 recognizes that people can live beyond their life expectancies. If the person lives to the outer reaches of the mortality table, say to 110 , many more layers will be breached. The highest layer reached is $\$ 10$ million excess of $\$ 60$ million, implying that the largest possible claim, for a person living to the maximum number of years in the life table is somewhere between $\$ 60$ million and $\$ 70$ million. [Exhibit 4 shows that the maximum possible loss is $\$ 78.4$ million, but the tiny probability of this happening means that the expected losses in the layers above $\$ 70$ million are below $\$ 1,000$, and thus do not show up on the table above.]
- For all layers combined (which translates to the value of all future amounts payable to the claimant) the nominal total from Method 1 ( $\$ 11.5$ million) is considerably lower than the nominal total from Method 2 ( $\$ 14.4$ million). However, the present value from Method 1 ( $\$ 4.4$ million) is only slightly lower than the present value from Method 2 ( $\$ 4.5$ million). How can we explain this?
i) Nominal Total from Method 2 considerably greater than Method 1 The easiest way of explaining the relation between the nominal totals is by analogy to a more familiar idea involving annuities. As most actuaries are aware, the present value of a life annuity is less than the present value of an annuity certain for the person's life expectancy. (Bowers, 1986, pp. 149-150 (example 5.13) and p. 158 (exercise 5.45).) In other words, the cost of paying someone $\$ 1$ per year for life is less than the cost of paying $\$ 1$ per year for a guaranteed period equal to the person's life expectancy. The intuition is that if you pay for the person's actual lifetime, there's a chance of living beyond the life expectancy, and those payments will be discounted at a higher rate than the earlier payments. By contrast, the annuity certain ignores the possibility of these higher discounts.

How does this relate to the nominal payments from Method 1 being much lower than Method 2? In our situation, we have inflation affecting the payments in two ways: the indemnity amounts are increased by the annual cost-of-living increase, and the medical amounts are increased by the annual medical inflation. If the claimant lives to, say, 95 years old, there will be many years of inflation increasing the annual payments, beyond the inflation contemplated in Method 1, which halts at the life expectancy. Thus, without inflation, the nominal amounts from Methods 1 and 2 would be identical; with inflation, the nominal amount from Method 1 will be lower than that for Method 2.
ii) Present value of Method 2 almost the same as Method 1

Without inflation, the payments would be the same each year. Then, as noted above, the present value of Method 1 (an annuity certain for the life expectancy) would exceed the present value for Method 2 (a life annuity). When there is inflation, things are more complicated. The issue is whether the effect of the additional inflation beyond the life expectancy outweighs the effect of the additional discounting. Depending on the rates, the present value of Method 2 could be either higher or lower than the present value of Method 1.

- On the layers that are pierced by Method 1, the commutation value from Method 2 is lower than the value from Method 1. For example, on the $\$ 500,000$ excess $\$ 500,000$ layer, the value under Method 1 is $\$ 430,200$, while under Method 2 it's $\$ 425,900$. This is because Method 1 assumes the amounts are paid for certain, and discounts only for the time-value of money. By contrast, Method 2 recognizes that the claimant may die early, and that the amounts may not be paid. Of course, in the layers not pierced in Method 1, the commutation value for Method 2 is always higher.
- We can make no general statement about whether a commutation calculated using Method 1 will produce a total amount, for all layers combined, that is greater than or less than the total for Method 2. This
will depend on a number of factors. For example, if the primary company buys reinsurance on only very low layers, Method 1 will tend to be higher. If it buys reinsurance only on high layers, Method 2 will tend to be higher.


## Determinism and Risk

Once a claim has been commuted, the cedent takes the risk of future losses. If the claimant lives to a ripe old age, the primary company will suffer a loss it would have been better off not to have commuted. That's not a problem: insurance is about taking risks. The commutation calculation measured the mortality risk, and included it in the commutation price. Though the primary company may not be happy to have to pay higher than expected losses, the mortality risk has been priced into the commutation amount. But, there are other risks faced by the ceding company that have not been priced into the commutation amount. Medical inflation is one such example.

The assumed rate of medical inflation is often a contentious issue in commutation negotiations. The parties may argue over whether we should use the average for the past decade (currently about $7 \%$ ), a longer term average (about $6 \%$ if we average back to World War 2), or an econometrician's projection for medical inflation for the next decade. In many cases we are projecting inflation for 70 years or more, so we cannot expect our numbers to be perfect. But, often, the parties find a number on which they can agree let us assume it is $5.36 \%$, and let us assume this number is, indeed, the future long-term average medical inflation rate. The parties use Method 2 , with $5.36 \%$ medical inflation, and agree on the amount. The ceding company, it would appear, has been compensated for future inflation.

The ceding company has not, in fact, been compensated for future inflation. It has been compensated for a fixed $5.36 \%$ future inflation. It faces the risk that 2 or 3 years hence there will be very high medical inflation, say $20 \%$ or $25 \%$ per year, for 3 or 4 years, after which medical inflation will drop back to its long-term average. This period of abnormally high medical inflation will quickly erode the retention, which is in nominal dollars, and breach the excess layers much more quickly than the commutation calculation assumes.

There is, similarly, a chance that medical inflation for the next few years will be lower than the long term average, and high medical inflation may not occur for another 60 years. Over the course of the 70 years, one would expect this all to even out. So, the skeptic may ask, why should we care? If, on average, it evens out, and if a company does a large number of commutations over a large number of years, the overall result will be about right.

The problem is that it will not be "about right." Things do not average out in the long run. Just as Method 1 gave biased results, so Method 2, by assuming certain inputs are deterministic, gives biased results. Method 1 may be labeled "completely deterministic." Method 2 strips away the deterministic life expectancy from Method 1. But there are further layers of determinism that need to be stripped away if we want to get more accurate answers.

## The Effects of Variable Inflation

To see why things do not average out, let's examine the effects of variable inflation more closely. Consider an average inflation rate of $5 \%$ per year in each of 3 scenarios, and assume the pre-inflation amount payable per year is \$100:

|  | Medical Amount Payable Each Year |  |  |
| :---: | :---: | :---: | :---: |
| Year | Scenario 1: <br> $5 \%$ inflation each <br> year | Scenario 2: <br> 20\% inflation in <br> year 1; $0 \%$ in all <br> other years | Scenario 3: <br> 20\% inflation in <br> year 4; ; \% in all <br> other years |
| 0 | 100.00 | 100.00 | 100.00 |
| 1 | 105.00 | 120.00 | 100.00 |
| 2 | 110.25 | 120.00 | 100.00 |
| 3 | 115.76 | 120.00 | 100.00 |
| 4 | 121.55 | 120.00 | 120.00 |
| Total | 552.56 | 580.00 | 520.00 |

Inflation early on (scenario 2) raises the nominal dollar amounts in all future years, causing the total nominal amount to be higher. If there is reinsurance on these payments, the reinsurance retention would be breached earlier, and perhaps a layer will be breached that would not otherwise have been breached. The average inflation over the 3 scenarios is the same, but Scenario 2 results in more dollars of medical expenses, and Scenario 3 results in fewer dollars of medical expenses.

For a given average inflation rate, the path of inflation over the life of the claim will affect the future payments: high inflation early on will result in higher amounts; low inflation early on will result in lower amounts. While the total amount over all layers of reinsurance may roughly average out to be the same when present-valued, the amounts within the various layers will differ significantly.

If there is high inflation early on, the reinsurance retention will be breached earlier than expected. There is thus a greater chance that the claimant will still be alive to receive the payment. This greater possibility of payment directly affects the commutation calculation.

The standard commutation calculation fails to include certain risks, and thus neglects to price them. Method 2 assumes mortality is stochastic, but that medical inflation is deterministic. It also assumes wage inflation (and hence cost-of-living adjustments, in states that have them), investment income, and the annual medical usage of the claimant are deterministic. This will generally bias the commutation amount upwards for lower layers and downwards for higher layers. This is analogous to Method 1 overstating the lower layers and understating the higher layers, relative to Method 2. ("Higher" and "lower" is relative to the size of an individual claim.) Making each of these factors stochastic will remove some of the bias in the calculation.

## Stripping Away Determinism

Method 3: Stochastic economic factors and medical costs

Method 3 incorporates several additional random variables into the calculation:

- Inflation is not constant over time. It will fluctuate from year to year, with the rates not independent from year to year. [A note on terminology: By "inflation," with no modifier, I mean inflation relating to the overall economy, most popularly measured by the CPI. When referring specifically to price rises for medical care, I will refer to "medical inflation."]
- Medical inflation, while roughly tracking the ups and downs of general inflation, will not be the same as inflation.
- Investment yields fluctuate from year to year, but, like inflation, years are not independent.
- The annual medical payment to the claimant will not be a constant real amount each year. As the claimant's health changes, this amount will change. The claimant may take a turn for the worse, and require $\$ 200,000$ of hospitalization one year; or he may have a stable period where his medical expense is a lot lower than projected.

Each of these variables needs to be modeled. The specific way they have been modeled here is not the only way it could be done. The details of the example are less important than the general point being made, namely, that additional fluctuations need to be taken into account.

## 1) Inflation

Inflation was modeled using an autoregressive process of the following form:

$$
\begin{aligned}
\text { Inflation rate Year } t & \text { Long-term average inflation rate } \\
& +\alpha[\text { Inflation rate } \\
& + \text { erroar }(t-1) \text { - Long-term average inflation rate }]
\end{aligned}
$$

Daykin, et al. (1994, pp. 218-225), discusses this model, and a number of other inflation models that may better fit the data. In the interests of simplicity, I chose to use this model. Using this model, we can start with a known inflation rate for 1995, and simulate a series of future paths of inflation.

Using least-squares fitting of inflation data from the Bureau of Labor Statistics from 1935-1995, I obtained the following parameters:

$$
\begin{aligned}
& \text { Long-term average inflation }=4.2 \% \text { per year. } \\
& \alpha=0.51
\end{aligned}
$$

The error term was modeled using a lognormal distribution. Since the error should be positive or negative, but a lognormal is only defined for positive variables, I shifted the lognormal. The best fit was obtained by using a shifted lognormal with parameters $\mu=-2.76$ and $\sigma=0.51$. To ensure a zero mean for the error term, the lognormal was shifted by the mean of this distribution, or about .072. Exhibit 5 shows the derivation of these parameters.

This inflation variable was used to model the Cost of Living Adjustment to the indemnity payments. COLAs are usually tied to changes in the state average weekly wage, and I assumed that wage inflation is the same as overall price inflation - a convenient simplification, not necessarily correct. Since most COLAs are capped, I assumed the COLA could not be more than $5 \%$ in any year. I also assumed that if inflation is negative, the indemnity amount would not go down. Since COLAs are lagged a year, I assumed the COLA in 1998 is based on 1997 inflation, etc.

Medical inflation may be higher or lower than inflation, but there is a link between the two: if there were a $20 \%$ inflation rate for a sustained period, one would not expect medical inflation to remain at $2 \%$. I thus selected a model of medical inflation that is tied to the overall inflation rate, but with a degree of error allowed. The model was:

```
Medical Inflation
= Inflationyear t
    + \beta[Medical inflation (Year (t-1)}\mathrm{ - Inflation (year(t-1)]
    + [long-term average medical inflation - long-term average inflation]
    + error termYear t
```

The error term is assumed to be normally distributed, with a mean of zero. ${ }^{8}$

I used the longest available data series to get these parameters. The Bureau of Labor Statistics has medical CPI numbers back to 1935. For the period 1935 to 1995, average medical inflation was 1.16 percentage points higher than average inflation. This is what I used for the third term of the above expression. I am assuming these long-term trends will continue, although, there is of course no guarantee of this.

The fitted value for $\beta$ was 0.38 , and the error term was normally distributed with a mean of 0 , and a standard deviation of 0.027 . Exhibit 6 shows the development of this model.

[^2]
## 3) Investment Yields

I used a very simple model of investment yields. The firm is assumed to invest in one-year bonds that are held to maturity. Consequently, one would never have investment losses. In general, the bond yield would equal the expected inflation rate plus some small premium. However, one should discount using a risk-adjusted rate, and I simply assumed that the risk adjustment equals the premium over the inflation rate, i.e., the rate used for discounting is the same as the inflation rate. Even if inflation is negative, one would not expect interest rates to drop below some threshold (e.g., $2 \%$ ), so I assumed the risk-adjusted discount rate could not go below zero, i.e., I set the rate for discounting at the greater of zero or the inflation rate. ${ }^{9}$

## 4) Medical Services Used By Claimant

Medical usage will fluctuate from year to year. In some years, the claimant will use relatively little, while in other years he may require surgery, with large medical bills. The services from year to year may be correlated. For example, if he has surgery this year, the costs of post-operative treatment may keep the costs higher than average in the next year. One can model this process using a similar autoregressive model to the way we modeled inflation:

[^3]It is also beyond the scope of the paper to address the question of whether discounting should be based on the firm's (either the reinsurer or reinsured's) actual investments, or whether it should be based on market discount rates.

Medical amountyear t
$=$ Long-term average medical amount
$+\gamma[$ Medical amount Year $(t-1)$ - long-term average medical amount]

+ erroryear $^{\text {t }}$

The long-term average medical amount for this case is, by assumption, $\$ 70,000$. Empirically, there does not appear to be a very strong link between last year's medical amount and this year's, so I used $\gamma=.05$. The error term was modeled by a lognormal with $\mu=10.80089$ and $\sigma=0.75$. The mean of this lognormal is 65,000 , so I shifted the distribution by 65,000 to ensure the error term has a mean of zero.

## Running the Model

Each of these parameters was then put into a simulation model. By simulating inflation, medical inflation, and the annual medical amount, one can get a set of input parameters for each simulation. These parameters are then run through the same model as is used for Method 2. The difference is that each time it is run through with different parameters, so that instead of getting a single present value of the future payments, we get a distribution. (Exhibit 7 shows a single simulation from this distribution.)

The means of these distributions, for each layer, are shown below, compared with the results for Methods 1 and 2 :

| $\begin{gathered} \text { Layer } \\ \text { (in } \$, 000 \mathrm{~s} \text { ) } \end{gathered}$ | Expected Nominal <br> Payments <br> (in $\$, 000 \mathrm{~s}$ ) |  |  | Expected Present-Value Payments (in $\$, 000 \mathrm{~s}$ ) |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Method 1 | Method $2$ | Method $3$ | Method 1 | Method 2 | Method 3 |
| 130 xs 370 | 130 | 130 | 130 | 126 | 126 | 125 |
| $500 \times 5500$ | 500 | 495 | 495 | 430 | 426 | 426 |
| $1,000 \times \mathrm{xs} 1,000$ | 1,000 | 971 | 969 | 679 | 660 | 664 |
| $3,000 \times \mathrm{s} 2,000$ | 3,000 | 2,730 | 2,715 | 1,358 | 1,241 | 1,247 |
| 5,000 xs 5,000 | 5,000 | 3,735 | 3,701 | 1,388 | 1,048 | 1,053 |
| $5,000 \times s 10,000$ | 1,911 | 2,647 | 2,694 | 399 | 510 | 526 |
| 5,000 xs 15,000 | 0 | 1,704 | 1909 | 0 | 255 | 288 |
| 10,000 xs 20,000 | 0 | 1,523 | 2,317 | 0 | 178 | 271 |
| $10,000 \mathrm{xs} \mathrm{30,000}$ | 0 | 375 | 1,214 | 0 | 34 | 108 |
| 10,000 xs 40,000 | 0 | 61 | 673 | 0 | 4 | 49 |
| $10,000 \times$ xs 50,000 | 0 | 7 | 394 | 0 | 0 | 24 |
| 10,000 xs 60,000 | 0 | 0 | 241 | 0 | 0 | 13 |
| 10,000 xs 70,000 | 0 | 0 | 154 | 0 | 0 | 7 |
| 10,000 xs 80,000 | 0 | 0 | 102 | 0 | 0 | 4 |
| 10,000 xs 90,000 | 0 | 0 | 69 | 0 | 0 | 3 |
| Unlimited xs \$100MM | 0 | 0 | 193 | 0 | 0 | 6 |
| Total, all Layers | 11,541 | 14,377 | 17,970 | 4,380 | 4,483 | 4,815 |

It is worth noting a few things regarding these results:

- Unlike Methods 1 and 2, Method 3 hits all the reinsurance layers. A less deterministic approach ensures that higher layers will be hit. Thus, layers that might otherwise have been thought to have no possibility of a loss, are shown to have some commutation value.
- The total nominal value of Method 3 is higher than the nominal value of Method 2 (and Method 2 is higher than Method 1, as discussed earlier).

This is largely explained by the treatment of inflation. The medical and indemnity amounts paid in some future period depend on the products of ( $1+$ inflation) for all prior periods. For example, the amount paid in period 3 depends on what inflation was in periods 1 and 2 . The inflation rates are not independent from period to period: they are positively correlated. Thus, the expected value of the product is greater than the product of the expected values, making the overall nominal payments for Method 3 higher than the payments in Method $2 .{ }^{10}$

- The overall present value factor for Method 2 is $31 \%(=4,483+14,377)$, but the present value factor for Method 3 is only $27 \%(=4,466+16,420)$. In other words, Method 3 has, on average, a steeper discount applied to it.

The relationship between the present values of Methods 2 and 3 is complex, largely because the assumptions are not consistent between the two methods. Yes, we tried to make them consistent, but the differences in the assumptions become clear once we examine them more carefully.

Consider the indemnity cost-of-living adjustments. We said that, based on the historical record, inflation averages $4.2 \%$ per annum, and this was the number we used for the COLA in Method 2. In Method 3, inflation varies stochastically, with a mean of $4.2 \%$. But our rules for the COLA said that it couldn't be more than $5 \%$, or less than $0 \%$. In Method 3, the
$10 \quad \mathrm{E}(\mathrm{XY})=\mathrm{E}(\mathrm{X}) \mathrm{E}(\mathrm{Y})+\operatorname{cov}(\mathrm{X}, \mathrm{Y})$. Thus, if X and Y are positively correlated, the expected value of the product exceeds the product of the expected values.
average inflation rate is $4.2 \%$, but the average COLA is not $4.2 \%$ because it is sometimes capped. In fact, it averages about $2.98 \%$.

Likewise, we said the discount rate was equal to the inflation rate, but that the discount rate could never go negative. On average, then, the discount rate is higher than $4.2 \%$ - about $4.39 \%$. This higher effective discount rate is the main reason for the total present value factor of Method 3 being less than the total present value for Method 2.

The assumptions between Methods 2 and 3 are not the same: Method 2 assumes higher COLAs than Method 3, and lower discount. Running Method 2 at the same average COLA as Method 3 ( $2.98 \%$ ), and the same average discount ( $4.39 \%$ ), changes the Method 2 present value to $\$ 4.124$ million, which is $8 \%$ lower than the $\$ 4.483$ million we originally calculated. (See Exhibit 8.)

In general, the relationship between the present values of Methods 2 and 3 will depend on the particular assumptions, and how they interact with the various caps and correlations.

- In the lowest layers, the nominal value of Method 1 is higher than Method 2, and Method 2 is higher than Method 3.11 This is because

11 On the earlier table, the nominal values for Methods 2 and 3 look the same at the low retentions. In fact, however, the numbers in the table are rounded. If the complete numbers had been shown, the nominal values in the low layers would be systematically less (though admittedly by a small amount) for Method 3 than for Method 2:

|  | Nominal Value <br> (in \$Thousands) |  |
| :---: | :---: | :---: |
| Layer | Method 2 | Method 3 |
| 1 | 129.74 | 129.70 |
| 2 | 494.89 | 494.55 |
| 3 | 970.56 | 969.34 |
| 4 | $2,729.68$ | $2,715.21$ |

Method 1 implies these layers will be hit for certain, whereas Methods 2 and 3 recognize that the claimant could die before the layer is penetrated. In addition, Method 3 recognizes that there could be years of unusually low claim amounts, so that it may take longer than expected to breach the retention. This reduces the commutation amount in two ways:
i) The longer it is until the retention is breached, the greater the chance of the claimant dying before breaching the retention.
ii) The longer it is until the retention is breached, the steeper the effect of present valuing.

In higher layers, which have a lower probability of being penetrated, this situation reverses itself: Method 3 gives higher results than Method 2. The upper layers are most vulnerable to a period of sustained high inflation or high claim levels. Methods 1 and 2 assume inflation and claim levels are fixed, so they do not contemplate periods of sustained high inflation or claim levels.

- For the lower layers, where the chances are good that the claimant will live long enough to breach them, Method 2 gives similar results to Method 3. But as the layers get higher, the Method 2 number gets lower and lower as a percentage of Method 3.

|  | Method 2 Result as Percentage of Method 3 Result |  |
| :---: | :---: | :---: |
| Layer | Nominal | Present Value |
| 1 | $100 \%$ | $100 \%$ |
| 2 | $100 \%$ | $99 \%$ |
| 3 | $100 \%$ | $97 \%$ |
| 4 | $100 \%$ | $95 \%$ |
| 5 | $99 \%$ | $90 \%$ |
| 6 | $94 \%$ | $83 \%$ |


| 7 | $82 \%$ | $72 \%$ |
| :---: | :---: | :---: |
| 8 | $56 \%$ | $48 \%$ |
| 9 | $22 \%$ | $19 \%$ |
| 10 | $5 \%$ | $4 \%$ |
| 11 | $1 \%$ | $1 \%$ |
| Higher Layers | $0 \%$ | $0 \%$ |

- Note how the present value factor for the losses declines sharply in the higher layers. For example, for the $\$ 5$ million excess $\$ 5$ million layer, the present value is $\$ 1.053$ million, compared to the nominal value of $\$ 3.701$ million. This translates to a present value factor of $28 \%$. By contrast, in the $\$ 10$ million excess $\$ 90$ million layer, the present value factor is only $4 \%$.


## ARE THERE FURTHER LAYERS OF DETERMINISM?

This paper has demonstrated that the commutation calculation is significantly affected by making a variety of variables non-deterministic. Have we now stripped away all determinism? Put another way: does this paper describe "the perfect" commutation calculation, or are there further layers of determinism that can, at least in principle, be stripped away?

There are, indeed, further layers of determinism that can be stripped away from a calculation of this nature, although it will become increasingly more difficult to do so. This paper has shown how we can strip away determinism in the levels of inflation, medical utilization, etc. But to measure the paths for these variables, we have relied on statistical measures on past data. Clearly, these historical data may no longer be valid predictors of the future. For example, the paper assumes that the best predictor of medical inflation is the last 60 years of medical CPI information. One can plausibly argue that what drove medical inflation in the 1930s and 1940s was completely different
from what drove it in the 1970s and 1980s, and different from what will drive it in future. And it is quite possible that the drivers of inflation will change periodically over the course of the claimant's lifetime.

This same issue applies to other variables. For example, advances in medical care could affect the medical utilization for the claimant's condition - and perhaps render the assumed mortality table redundant.

The next layer of determinism is the models themselves. We have assumed the model stays fixed over the claimant's lifetime, but we can easily imagine a situation where the parameters of the model shift, or the model itself changes.

The problem is that this next layer of determinism is not easily subject to measurement, and hence is not amenable to quantification by the usual actuarial methods. But not being able to quantify does not allow us to say that these items do not exist, and to simply ignore them.

## The Economics Of Uncertainty

Economists distinguish between "risk" and "uncertainty."12 Risk includes those things that can be measured statistically, and uncertainty includes those things that cannot be measured, but which might occur. For example, if I bet on a fair coin coming up heads, I am facing a risk. But if I bet on the chance of intelligent life being found on an as-yet-undiscovered planet, that is uncertainty - I have no way of measuring the associated probabilities.

Most insurance problems consist of a mixture of risk and uncertainty. Insurers are good at dealing with risk. By measuring the probabilities of loss and pooling the risk, we can largely eliminate the risk and get stable losses in the aggregate. It is far more difficult to deal with uncertainty.

12 The classic reference on risk and uncertainty is Knight (1921). For a more recent discussion of the economics of uncertainty, see O'Driscoll and Rizzo (1985).

In this paper, we have been measuring risk; we have only dealt with those things that can be measured. (Insofar as they cannot be modeled well, there are elements of uncertainty.) The next layer of determinism consists of uncertainty. We have no way of estimating the chances of the inflation model changing, or what the new model might be.

Without making any attempt to measure the effect of uncertainty, we can make some qualitative statements about its effects on commutations. Just as removing earlier layers of determinism increased the commutation amount in the higher layers, so removing yet another layer of determinism will increase the commutation amount in higher layers, and higher layers that would not otherwise have been pierced, will have some commutation value. Why? Under the inflation model postulated in the example in this paper, it is conceivable, but extremely unlikely, that there will be years where inflation will run above, say, $100 \%$ a year. (Actuaries who have dealt with foreign insurance and reinsurance may themselves have been burnt by hyperinflation in places like Israel and Argentina.) We can certainly envision unlikely circumstances where the US economy falls apart and there is hyperinflation. This possibility was not included in the data used for fitting the models, and is thus not contemplated in the resulting commutation amount.

All the other variables in the commutation are subject to similar uncertainty: mortality rates might plummet as cures are found for cancer and heart disease; or mortality rates might soar, as a new virus kills half the population. The annual medical usage might drop, if a cure is found for the claimant's ailment, which was previously thought to be permanent. Or the cost of medical care might soar as a new drug is discovered that greatly improves the claimant's quality of life, at twice the cost. What if the government takes over the entire health-care system, and insurers are no longer responsible for medical care costs?

We can dream up many different situations that will change what insurers owe to claimants. We can put probabilities on none of these, and we also know that there are many possibilities that we may not even think of, until they actually happen.

In commutations, it is common to ignore this uncertainty, and to commute some of the very high layers without payment. This is unwarranted. Commuting reinsurance is really a matter of pricing future possibilities, and reinsurers do not give away free layers, even if they have only a remote chance of being hit. For example, suppose I want to buy workers' compensation reinsurance for a layer of $\$ 1$ million excess of $\$ 800$ million. (To avoid catastrophe issues, let us assume the reinsurance is per claim, not per occurrence.) There has never been a workers' compensation claim that large, or even remotely close to it. Yet, would a reinsurer be willing to give the layer away free (assuming they have no costs to service the contract)? Of course they won't. Reinsurers recognize the remote possibility of having to pay on this contract, and they need to charge for that risk. The risk is remote, but remote is not the same as non-existent. The chance of the layer being hit is not measurable, but not-measurable is not the same as zero.

The pricing issues also apply to commutations. There is no reason why a cedent should be willing to commute a layer for nothing, even when the actuarial calculations (at some level of determinism) say there is no chance of hitting the layer. Though there is far less uncertainty at the time of a commutation than there was when the contract was written, there is still enough uncertainty that payment for the cedent re-assuming this risk is warranted.

## Other Lines of Business; Pricing and Reserving, Too

The issues discussed in this paper apply more broadly than just to workers' compensation commutations. A commutation for, say, a General Liability treaty would usually develop the expected losses to ultimate, and commute based on the discounted value of those losses. But this ignores certain risks that are transferred back to the ceding company in the commutation. For example, a GL treaty being commuted in 1978 would have relieved the reinsurer for liability for environmental claims that were generated by the Superfund law, which passed a couple of years later. It was unknown, at the time of the commutation, that the cedent was giving up coverage for this risk,
but it was not unknown that the cedent was taking the risk of some such change in the future. Just as a company selling GL reinsurance will not give away remote layers free of charge, so the commutation should not be free for these layers either.

Other lines of business have the same levels of determinism as do workers' compensation. The difference is that for workers' compensation we can do the calculations on a claim-by-claim basis, which helps to lay bare many of the underlying assumptions.

And it is not just commutations that are affected by determinism. It applies to regular pricing and reserving work as well. The clearest example would be the reserving of workers' compensation reinsurance, where the methods used in this paper can be directly applied. But for pricing and reserving of any excess insurance or reinsurance, it is important to keep in mind the problems of determinism. If we simply assume the future will turn out to be what was expected, or that the future will follow the patterns of the past, we are bound to be led astray. The scary part of writing insurance is the uncertainty of what the future will bring. The uncertainty cannot be quantified, but all too often we stick our heads in the sand and assume that if something cannot be quantified, it doesn't exist.

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Exhibit 1

1990 US Life Table (Males)

|  |  |  |
| :---: | :---: | :---: |
| Age | l(x) | Life |
| Expectancy |  |  |$|$


| Age | l(x) | Life <br> Expectancy |
| :---: | :---: | :---: |
|  |  |  |
| 37 | $94,585.0$ | 37.8 |
| 38 | $94,316.0$ | 36.9 |
| 39 | $94,038.0$ | 36.0 |
| 40 | $93,753.0$ | 35.1 |
| 41 | $93,460.0$ | 34.2 |
| 42 | $93,157.0$ | 33.3 |
| 43 | $92,840.0$ | 32.4 |
| 44 | $92,505.0$ | 31.6 |
| 45 | $92,147.0$ | 30.7 |
| 46 | $91,764.0$ | 29.8 |
| 47 | $91,352.0$ | 28.9 |
| 48 | $90,908.0$ | 28.1 |
| 49 | $90,429.0$ | 27.2 |
| 50 | $89,912.0$ | 26.4 |
| 51 | $89,352.0$ | 25.5 |
| 52 | $88,745.0$ | 24.7 |
| 53 | $88,084.0$ | 23.9 |
| 54 | $87,363.0$ | 23.1 |
| 55 | $86,576.0$ | 22.3 |
| 56 | $85,719.0$ | 21.5 |
| 57 | $84,788.0$ | 20.7 |
| 58 | $83,777.0$ | 20.0 |
| 59 | $82,678.0$ | 19.2 |
| 60 | $81,485.0$ | 18.5 |
| 61 | $80,194.0$ | 17.8 |
| 62 | $78,803.0$ | 17.1 |
| 63 | $77,314.0$ | 16.4 |
| 64 | $75,729.0$ | 15.8 |
| 65 | $74,051.0$ | 15.1 |
| 66 | $72,280.0$ | 14.5 |
| 67 | $70,414.0$ | 13.8 |
| 68 | $68,445.0$ | 13.2 |
| 69 | $66,364.0$ | 12.6 |
| 70 | $64,164.0$ | 12.0 |
| 71 | $61,847.0$ | 11.5 |
| 72 | $59,419.0$ | 10.9 |
| 73 | $56,885.0$ | 10.4 |
|  |  |  |
|  |  |  |


| Age | l(x) | Life <br> Expectancy |
| :---: | :---: | :---: |
| 74 | $54,249.0$ | 9.9 |
| 75 | $51,519.0$ | 9.4 |
| 76 | $48,704.0$ | 8.9 |
| 77 | $45,816.0$ | 8.4 |
| 78 | $42,867.0$ | 7.9 |
| 79 | $39,872.0$ | 7.5 |
| 80 | $36,848.0$ | 7.1 |
| 81 | $33,811.0$ | 6.7 |
| 82 | $30,782.0$ | 6.3 |
| 83 | $27,782.0$ | 5.9 |
| 84 | $24,834.0$ | 5.5 |
| 85 | $21,962.0$ | 5.2 |
| 86 | $19,216.8$ | 4.9 |
| 87 | $16,607.4$ | 4.5 |
| 88 | $14,157.7$ | 4.2 |
| 89 | $11,889.0$ | 3.9 |
| 90 | $9,819.5$ | 3.7 |
| 91 | $7,962.6$ | 3.4 |
| 92 | $6,326.9$ | 3.2 |
| 93 | $4,915.0$ | 2.9 |
| 94 | $3,723.5$ | 2.7 |
| 95 | $2,743.0$ | 2.5 |
| 96 | $1,958.3$ | 2.3 |
| 97 | $1,349.7$ | 2.1 |
| 98 | 894.0 | 1.9 |
| 99 | 566.2 | 1.8 |
| 100 | 340.6 | 1.6 |
| 101 | 193.2 | 1.5 |
| 102 | 102.4 | 1.3 |
| 103 | 50.1 | 1.2 |
| 104 | 22.3 | 1.1 |
| 105 | 8.9 | 1.0 |
| 106 | 3.1 | 0.9 |
| 107 | 0.9 | 0.8 |
| 108 | 0.2 | 0.7 |
| 109 | 0.0 | 0.5 |
| 110 | 0.0 |  |
|  |  |  |

[^4]
## Inflation: <br> Consumer Price Index and Medical Consumer Price Index

| Year | Index at December |  | Annual Inflation |  |  | Index at December |  | Annual Inflation |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Medical |  |  |  |  | Medical |  | Medical |
|  | CPI | CPI | CPI | CPI | Year | CPI | CPI | CPI | CPI |
| 1935 | 13.8 | 10.2 |  |  | 1966 | 32.9 | 27.2 | 3.5\% | 6.7\% |
| 1936 | 14.0 | 10.2 | 1.4\% | 0.0\% | 1967 | 33.9 | 28.9 | 3.0\% | 6.3\% |
| 1937 | 14.4 | 10.3 | 2.9\% | 1.0\% | 1968 | 35.5 | 30.7 | 4.7\% | 6.2\% |
| 1938 | 14.0 | 10.3 | -2.8\% | 0.0\% | 1969 | 37.7 | 32.6 | 6.2\% | 6.2\% |
| 1939 | 14.0 | 10.4 | $0.0 \%$ | 1.0\% | 1970 | 39.8 | 35.0 | 5.6\% | 7.4\% |
| 1940 | 14.1 | 10.4 | 0.7\% | 0.0\% | 1971 | 41.1 | 36.6 | 3.3\% | 4.6\% |
| 1941 | 15.5 | 10.5 | 9.9\% | 1.0\% | 1972 | 42.5 | 37.8 | 3.4\% | 3.3\% |
| 1942 | 16.9 | 10.9 | 9.0\% | 3.8\% | 1973 | 46.2 | 39.8 | 8.7\% | 5.3\% |
| 1943 | 17.4 | 11.4 | 3.0\% | 4.6\% | 1974 | 51.9 | 44.8 | 12.3\% | 12.6\% |
| 1944 | 17.8 | 11.7 | 2.3\% | 2.6\% | 1975 | 55.5 | 49.2 | 6.9\% | 9.8\% |
| 1945 | 18.2 | 12.0 | 2.2\% | 2.6\% | 1976 | 58.2 | 54.1 | 4.9\% | 10.0\% |
| 1946 | 21.5 | 13.0 | 18.1\% | 8.3\% | 1977 | 62.1 | 58.9 | 6.7\% | 8.9\% |
| 1947 | 23.4 | 13.9 | 8.8\% | 6.9\% | 1978 | 67.7 | 64.1 | 9.0\% | 8.8\% |
| 1948 | 24.1 | 14.7 | 3.0\% | 5.8\% | 1979 | 76.7 | 70.6 | 13.3\% | 10.1\% |
| 1949 | 23.6 | 14.9 | -2.1\% | 1.4\% | 1980 | 86.3 | 77.6 | 12.5\% | 9.9\% |
| 1950 | 25.0 | 15.4 | 5.9\% | 3.4\% | 1981 | 94.0 | 87.3 | 8.9\% | 12.5\% |
| 1951 | 26.5 | 16.3 | 6.0\% | 5.8\% | 1982 | 97.6 | 96.9 | 3.8\% | 11.0\% |
| 1952 | 26.7 | 17.0 | 0.8\% | 4.3\% | 1983 | 101.3 | 103.1 | 3.8\% | 6.4\% |
| 1953 | 26.9 | 17.6 | 0.7\% | 3.5\% | 1984 | 105.3 | 109.4 | 3.9\% | 6.1\% |
| 1954 | 26.7 | 18.0 | -0.7\% | 2.3\% | 1985 | 109.3 | 116.8 | 3.8\% | 6.8\% |
| 1955 | 26.8 | 18.6 | 0.4\% | 3.3\% | 1986 | 110.5 | 125.8 | 1.1\% | 7.7\% |
| 1956 | 27.6 | 19.2 | 3.0\% | 3.2\% | 1987 | 115.4 | 133.1 | 4.4\% | 5.8\% |
| 1957 | 28.4 | 20.1 | 2.9\% | 4.7\% | 1988 | 120.5 | 142.3 | 4.4\% | 6.9\% |
| 1958 | 28.9 | 21.0 | 1.8\% | 4.5\% | 1989 | 126.1 | 154.4 | 4.6\% | 8.5\% |
| 1959 | 29.4 | 21.8 | 1.7\% | 3.8\% | 1990 | 133.8 | 169.2 | 6.1\% | 9.6\% |
| 1960 | 29.8 | 22.5 | 1.4\% | 3.2\% | 1991 | 137.9 | 182.6 | 3.1\% | 7.9\% |
| 1961 | 30.0 | 23.2 | 0.7\% | 3.1\% | 1992 | 141.9 | 194.7 | 2.9\% | 6.6\% |
| 1962 | 30.4 | 23.7 | 1.3\% | 2.2\% | 1993 | 145.8 | 205.2 | 2.7\% | 5.4\% |
| 1963 | 30.9 | 24.3 | 1.6\% | 2.5\% | 1994 | 149.7 | 215.3 | 2.7\% | 4.9\% |
| 1964 | 31.2 | 24.8 | 1.0\% | 2.1\% | 1995 | 153.5 | 223.8 | 2.5\% | 3.9\% |
| 1965 | 31.8 | 25.5 | 1.9\% | 2.8\% |  |  |  |  |  |
|  |  |  |  |  |  |  | Average | 4.2\% | 5.3\% |

Source: US Department of Labor, Bureau of Labor Statistics

Completely Deterministic commutation calculation

## Parameters:

| (A) | Evaluation Date: | $1 / 1 / 97$ |
| :--- | :--- | ---: |
| (B) | Age at evaluation date: | 35 |
| (C) | Annual indemnity payment | 20,000 |
| (D) | Annual medical payment: (at mid-1996 price levels) | 70,000 |
| (E) | Indemnity paid to date | 70,000 |
| (F) | Medical paid to date | 300,000 |
| (G) | Life expectancy: | 39.6 |
| (H) | Cost-of-Living Adjustment: | $4.2 \%$ |
| (I) | Medical Inflation Rate: | $5.36 \%$ |
| (J) | Annual Discount Rate: | $4.2 \%$ |


| Year | $(1)$ <br> Cost of <br> Living <br> Adjustment | (2) <br> Indemnity <br> Payment | Medical <br> Inflation | Medical <br> Payment | Total <br> Payment <br> $(2)+(4)$ | (3) <br> Cumulative <br> Payment <br> Cumulative |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1996 and prior |  |  |  |  |  | $(5)$ |
| 1997 | $4.2 \%$ | 70,000 |  | 300,000 | 370,000 | of $(5)$ |


| Year | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Cost of Living | Indemnity | Medical | Medical | Total | Cumulative <br> Total |
|  | Adjustment | Payment | Inflation | Payment | Payment $(2)+(4)$ | Payment Cumulative of (5) |
| 2028 | 4.2\% | 74,610 | 5.36\% | 372,154 | 446,764 | 7,664,199 |
| 2029 | 4.2\% | 77,744 | 5.36\% | 392,101 | 469,845 | 8,134,044 |
| 2030 | 4.2\% | 81,009 | 5.36\% | 413,118 | 494,127 | 8,628,170 |
| 2031 | 4.2\% | 84,411 | 5.36\% | 435,261 | 519,672 | 9,147,843 |
| 2032 | 4.2\% | 87,956 | 5.36\% | 458,591 | 546,547 | 9,694,390 |
| 2033 | 4.2\% | 91,651 | 5.36\% | 483,171 | 574,822 | 10,269,212 |
| 2034 | 4.2\% | 95,500 | 5.36\% | 509,069 | 604,569 | 10,873,781 |
| 2035 | 4.2\% | 99,511 | 5.36\% | 536,356 | 635,867 | 11,509,648 |
| 2036 | 4.2\% | 62,214 | 5.36\% | 339,063 | 401,277 | 11,910,925 |
| Total |  | 2,104,844 |  | 9,806,081 |  |  |

[^5]| Year | (6) | (7) | (8) | (9) | (10) | (11) | (12) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Cumulative | Incremental Payments By Layer |  |  |  |  |  |
|  | Total | \$500,000 xs | \$500,000 xs | \$1 million xs $\$ 3$ million $\mathrm{xs} \$ 5$ million $\mathrm{xs} \$ 5$ million xs |  |  |  |
|  | Payment | \$370,000 | \$500,000 | \$1 million | \$2 million | $\$ 5$ million | \$10 million |
|  | Cumulative |  |  |  |  |  |  |
|  | of (5) |  |  |  |  |  |  |
| 1996 and prior | 370,000 | 0 | 0 | 0 | 0 | 0 | 0 |
| 1997 | 464,592 | 94,592 | 0 | 0 | 0 | 0 | 0 |
| 1998 | 564,012 | 35,408 | 64,012 | 0 | 0 | 0 | 0 |
| 1999 | 668,510 | 0 | 104,497 | 0 | 0 | 0 | 0 |
| 2000 | 778,346 | 0 | 109,836 | 0 | 0 | 0 | 0 |
| 2001 | 893,796 | 0 | 115,450 | 0 | 0 | 0 | 0 |
| 2002 | 1,015,148 | 0 | 106,204 | 15,148 | 0 | 0 | 0 |
| 2003 | 1,142,709 | 0 | 0 | 127,560 | 0 | 0 | 0 |
| 2004 | 1,276,797 | 0 | 0 | 134,088 | 0 | 0 | 0 |
| 2005 | 1,417,750 | 0 | 0 | 140,953 | 0 | 0 | 0 |
| 2006 | 1,565,922 | 0 | 0 | 148,172 | 0 | 0 | 0 |
| 2007 | 1,721,686 | 0 | 0 | 155,764 | 0 | 0 | 0 |
| 2008 | 1,885,434 | 0 | 0 | 163,748 | 0 | 0 | 0 |
| 2009 | 2,057,579 | 0 | 0 | 114,566 | 57,579 | 0 | 0 |
| 2010 | 2,238,555 | 0 | 0 | 0 | 180,976 | 0 | 0 |
| 2011 | 2,428,818 | 0 | 0 | 0 | 190,263 | 0 | 0 |
| 2012 | 2,628,850 | 0 | 0 | 0 | 200,031 | 0 | 0 |
| 2013 | 2,839,155 | 0 | 0 | 0 | 210,305 | 0 | 0 |
| 2014 | 3,060,265 | 0 | 0 | 0 | 221,111 | 0 | 0 |
| 2015 | 3,292,741 | 0 | 0 | 0 | 232,476 | 0 | 0 |
| 2016 | 3,537,170 | 0 | 0 | 0 | 244,429 | 0 | 0 |
| 2017 | 3,794,172 | 0 | 0 | 0 | 257,002 | 0 | 0 |
| 2018 | 4,064,400 | 0 | 0 | 0 | 270,227 | 0 | 0 |
| 2019 | 4,348,537 | 0 | 0 | 0 | 284,138 | 0 | 0 |
| 2020 | 4,647,308 | 0 | 0 | 0 | 298,770 | 0 | 0 |
| 2021 | 4,961,469 | 0 | 0 | 0 | 314,161 | 0 | 0 |
| 2022 | 5,291,820 | 0 | 0 | 0 | 38,531 | 291,820 | 0 |
| 2023 | 5,639,203 | 0 | 0 | 0 | 0 | 347,382 | 0 |
| 2024 | 6,004,500 | 0 | 0 | 0 | 0 | 365,297 | 0 |
| 2025 | 6,388,643 | 0 | 0 | 0 | 0 | 384,143 | 0 |
| 2026 | 6,792,611 | 0 | 0 | 0 | 0 | 403,968 | 0 |
| 2027 | 7,217,435 | 0 | 0 | 0 | 0 | 424,824 | 0 |
| 2028 | 7,664,199 | 0 | 0 | 0 | 0 | 446,764 | 0 |
| 2029 | 8,134,044 | 0 | 0 | 0 | 0 | 469,845 | 0 |
| 2030 | 8,628,170 | 0 | 0 | 0 | 0 | 494,127 | 0 |
| 2031 | 9,147,843 | 0 | 0 | 0 | 0 | 519,672 | 0 |
| 2032 | 9,694,390 | 0 | 0 | 0 | 0 | 546,547 | 0 |
| 2033 | 10,269,212 | 0 | 0 | 0 | 0 | 305,610 | 269,212 |
| 2034 | 10,873,781 | 0 | 0 | 0 | 0 | 0 | 604,569 |
| 2035 | 11,509,648 | 0 | 0 | 0 | 0 | 0 | 635,867 |
| 2036 | 11,910,925 | 0 | 0 | 0 | 0 | 0 | 401,277 |


|  | (13) | (14) | (15) | (16) | (17) | (18) | (19) | (20) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Present | Discounted Value by Layer |  |  |  |  |  |  |
|  | Value | \$500,000 xs | \$500,000 xs | \$1 million xs | \$3 million xs | $\$ 5$ million $\times$ s | \$5 million xs | All Layers |
| Year | Factor | \$370,000 | \$500,000 | $\$ 1$ million | \$2 million | \$5 million | \$10 million | Combined |


| 1996 and prior |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 0.9796 | 92,666 | 0 | 0 | 0 | 0 | 0 | 92,666 |
| 1998 | 0.9402 | 33,289 | 60,181 | 0 | 0 | 0 | 0 | 93,470 |
| 1999 | 0.9023 | 0 | 94,284 | 0 | 0 | 0 | 0 | 94,284 |
| 2000 | 0.8659 | 0 | 95,106 | 0 | 0 | 0 | 0 | 95,106 |
| 2001 | 0.8310 | 0 | 95,937 | 0 | 0 | 0 | 0 | 95,937 |
| 2002 | 0.7975 | 0 | 84,697 | 12,081 | 0 | 0 | 0 | 96,778 |
| 2003 | 0.7653 | 0 | 0 | 97,628 | 0 | 0 | 0 | 97,628 |
| 2004 | 0.7345 | 0 | 0 | 98,488 | 0 | 0 | 0 | 98,488 |
| 2005 | 0.7049 | 0 | 0 | 99,357 | 0 | 0 | 0 | 99,357 |
| 2006 | 0.6765 | 0 | 0 | 100,236 | 0 | 0 | 0 | 100,236 |
| 2007 | 0.6492 | 0 | 0 | 101,124 | 0 | 0 | 0 | 101,124 |
| 2008 | 0.6230 | 0 | 0 | 102,023 | 0 | 0 | 0 | 102,023 |
| 2009 | 0.5979 | 0 | 0 | 68,503 | 34,428 | 0 | 0 | 102,931 |
| 2010 | 0.5738 | 0 | 0 | 0 | 103,850 | 0 | 0 | 103,850 |
| 2011 | 0.5507 | 0 | 0 | 0 | 104,779 | 0 | 0 | 104,779 |
| 2012 | 0.5285 | 0 | 0 | 0 | 105,718 | 0 | 0 | 105,718 |
| 2013 | 0.5072 | 0 | 0 | 0 | 106,668 | 0 | 0 | 106,668 |
| 2014 | 0.4868 | 0 | 0 | 0 | 107,628 | 0 | 0 | 107,628 |
| 2015 | 0.4671 | 0 | 0 | 0 | 108,599 | 0 | 0 | 108,599 |
| 2016 | 0.4483 | 0 | 0 | 0 | 109,580 | 0 | 0 | 109,580 |
| 2017 | 0.4302 | 0 | 0 | 0 | 110,573 | 0 | 0 | 110.573 |
| 2018 | 0.4129 | 0 | 0 | 0 | 111,577 | 0 | 0 | 111,577 |
| 2019 | 0.3963 | 0 | 0 | 0 | 112,591 | 0 | 0 | 112,591 |
| 2020 | 0.3803 | 0 | 0 | 0 | 113,618 | 0 | 0 | 113,618 |
| 2021 | 0.3650 | 0 | 0 | 0 | 114,655 | 0 | 0 | 114,655 |
| 2022 | 0.3502 | 0 | 0 | 0 | 13,495 | 102,209 | 0 | 115,704 |
| 2023 | 0.3361 | 0 | 0 | 0 | 0 | 116,765 | 0 | 116,765 |
| 2024 | 0.3226 | 0 | 0 | 0 | 0 | 117,838 | 0 | 117,838 |
| 2025 | 0.3096 | 0 | 0 | 0 | 0 | 118,922 | 0 | 118,922 |
| 2026 | 0.2971 | 0 | 0 | 0 | 0 | 120,019 | 0 | 120,019 |
| 2027 | 0.2851 | 0 | 0 | 0 | 0 | 121,128 | 0 | 121,128 |
| 2028 | 0.2736 | 0 | 0 | 0 | 0 | 122,249 | 0 | 122,249 |
| 2029 | 0.2626 | 0 | 0 | 0 | 0 | 123,383 | 0 | 123,383 |
| 2030 | 0.2520 | 0 | 0 | 0 | 0 | 124,529 | 0 | 124,529 |
| 2031 | 0.2419 | 0 | 0 | 0 | 0 | 125,688 | 0 | 125.688 |
| 2032 | 0.2321 | 0 | 0 | 0 | 0 | 126,860 | 0 | 126,860 |
| 2033 | 0.2228 | 0 | 0 | 0 | 0 | 68,076 | 59,968 | 128,045 |
| 2034 | 0.2138 | 0 | 0 | 0 | 0 | 0 | 129,243 | 129,243 |
| 2035 | 0.2052 | 0 | 0 | 0 | 0 | 0 | 130.454 | 130,454 |
| 2036 | 0.1969 | 0 | 0 | 0 | 0 | 0 | 79,008 | 79,008 |
| Total |  | 125,955 | 430,206 | 679,440 | 1,357,759 | 1,387,664 | 398,673 | 4,379,697 |

Method 2: Stochastic Mortality (Other inputs deterministic)

|  |  |  |  |  | rameters: |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (A) | Evaluation Date |  |  |  | 1/1/97 |  |  |  |
|  | (B) | Current Age: |  |  |  | 35 |  |  |  |
|  | (C) | Annual Indemnit | y Payment |  |  | 20,000 |  |  |  |
|  | (D) | Annual Medical | Payment (at | 996 price le | els) | 70,000 |  |  |  |
|  | (E) | Indemnity Paid | Date |  |  | 70,000 |  |  |  |
|  | (F) | Medical Paid to | Date: |  |  | 300,000 |  |  |  |
|  | (G) | Cust-of-Living | djustment |  |  | 4,2\% |  |  |  |
|  | (H) | Medical Inflatio | Rate: |  |  | 5.36\% |  |  |  |
|  | (l) | Annual Discoun | Rate: |  |  | 4.2\% |  |  |  |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) |
|  | Cost of |  |  |  |  | Cumulative | Probability of clatimant | Present |  |
| Year | Living Adjustment | Indemnity <br> Payment | Medical Inflation | Medical <br> Payment | Total Payment | Total Payment | IIving to mid-year | Value Factor | inyestment income |
|  |  |  |  |  | (2) $+(4)$ | Cum. of (6) |  |  | (7) $\times(8)$ |
| 1996 and prior |  | 70,000 |  | 300,000 | 370.000 | 370,000 |  |  |  |
| 1997 | 4.2\% | 20.840 | 5.36\% | 73,752 | 94,592 | 464,592 | 0.999 | 0.9796 | 0.9784 |
| 1998 | 4.2\% | 21,715 | 5.36\% | 77,705 | 99,420 | 564,012 | 0.996 | 0.9402 | 0.9364 |
| 1599 | 4.2\% | 22,627 | 5.36\% | 81,870 | 104,497 | 668,510 | 0.993 | 0.9023 | 0.8962 |
| 2000 | 4.2\% | 23,578 | 5.36\% | 86,258 | 109,836 | 778,346 | 0.990 | 0.8659 | 0.8576 |
| 2001 | 4.2\% | 24,568 | 5.36\% | 90,882 | 115,450 | 893,796 | 0.987 | 0.8310 | 0.8206 |
| 2002 | 4.2\% | 25,600 | 5.36\% | 95,753 | 121,353 | 1,015,148 | 0.984 | 0.7975 | 0.7851 |
| 2003 | 4.2\% | 26,675 | 5.36\% | 100,885 | 127,560 | 1,142,709 | 0.981 | 0.7653 | 0.7510 |
| 2004 | 4.2\% | 27.795 | 5.36\% | 106.293 | 134,088 | 1.276 .797 | 0.978 | 0.7345 | 0.7184 |
| 2005 | 4.2\% | 28,963 | 5.36\% | 111,990 | 140,953 | 1,417,750 | 0.975 | 0.7049 | 0.6870 |
| 2006 | 4.2\% | 30,179 | 5.36\% | 117,993 | 148,172 | 1,565,922 | 0.971 | 0.6765 | 0.6568 |
| 2007 | 4,2\% | 31,447 | 5.36\% | 124,317 | 155,764 | 1,721,686 | 0.967 | 0.6492 | 0.6278 |
| 2008 | 4.2\% | 32,767 | 5.36\% | 130,981 | 163,748 | 1,885,434 | 0.963 | 0.6230 | 0.5999 |
| 2009 | 4.2\% | 34,144 | 5.36\% | 138,001 | 172,145 | 2,057,579 | 0.958 | 0.5979 | 0.5730 |
| 2010 | 4.2\% | 35,578 | 5.36\% | 145,398 | 180,976 | 2,238.555 | 0.954 | 0.5738 | 0.5472 |
| 2011 | 4.2\% | 37,072 | 5.36\% | 153,191 | 190,263 | 2,428,818 | 0.948 | 0.5507 | 0.5222 |
| 2012 | 4.2\% | 38,629 | 5.36\% | 161,402 | 200,031 | 2,628,850 | 0.943 | 0.5285 | 0.4982 |
| 2013 | 4.2\% | 40,251 | 5.36\% | 170,054 | 210,305 | 2,839,155 | 0.936 | 0.5072 | 0.4750 |
| 2014 | 4.240 | 41,942 | 5.36\% | 179,169 | 221,111 | 3,060,265 | 0.930 | 0.4868 | 0.4526 |
| 2015 | 4.2\% | 43,704 | 5.36\% | 188,772 | 232,476 | 3,292,741 | 0.923 | 0.4671 | 0.4310 |
| 2016 | 4.2\% | 45.539 | 5.36\% | 198,890 | 244,429 | 3,537,170 | 0.915 | 0.4483 | 0.4100 |
| 2017 | 4.2\% | 47,452 | 5.36\% | 209.551 | 257,002 | 3,794,172 | 0.906 | 0.4302 | 0.3898 |
| 2018 | 4.2\% | 49,445 | 5.36\% | 220.783 | 270.227 | 4,064,400 | 0.897 | 0.4129 | 0.3702 |
| 2019 | 4.2\% | 51,521 | 5.36\% | 232,617 | 284,138 | 4,348,537 | 0.886 | 0.3963 | 0.3512 |
| 2020 | 4.2\% | \$3,685 | 5.36\% | 245,085 | 298,770 | 4,647,308 | 0.875 | 0.3803 | 0.3328 |
| 2021 | 4.2\% | 55,940 | 5.36\% | 258,221 | 314,161 | 4,961,469 | 0.863 | 0.3650 | 0.3150 |
| 2022 | 4.2\% | 58,290 | 5.36\% | 272,062 | 330,352 | 5,291,820 | 0.850 | 0.3502 | 0.2978 |
| 2023 | $4.2 \%$ | 60,738 | 5.368 | 286,644 | 347,382 | 5,639,203 | 0.836 | 0.3361 | 0.2810 |
| 2024 | 4.2\% | 63,289 | 5.36\% | 302,009 | 365,297 | 6,004,500 | 0.821 | 0.3226 | 0.2648 |
| 2025 | 4.2\% | 65,947 | 5.36\% | 318,196 | 384,143 | 6,388,643 | 0.805 | 0.3096 | 0.2491 |
| 2026 | 4.2\% | 68,717 | 5.36\% | 335,252 | 403,968 | 6,792,611 | 0.788 | 0.2971 | 0.2340 |
| 2027 | 4.2\% | 71.603 | 5.36\% | 353,221 | 424,824 | 7,217,435 | 0.769 | 0.2851 | 0.2194 |
| 2028 | 4.2\% | 74,610 | $5.36 \%$ | 372,154 | 446,764 | 7,664,199 | 0.750 | 0.2736 | 0.2053 |
| 2029 | 4.2\% | 77,744 | 5.36\% | 392,101 | 469,845 | 8,134,044 | 0.730 | 0.2626 | 0.1917 |
| 2030 | 4.2\% | 81,009 | 5.36\% | 413,118 | 494,127 | 8,628,170 | 0.709 | 0.2520 | 0.1786 |
| 2031 | $4.2 \%$ | 84,411 | $5.36 \%$ | 435,261 | 519,672 | 9,147,843 | 0.686 | 0.2419 | 0.1660 |
| 2032 | 4.2\% | 87,956 | 5.36\% | 458,591 | 546,547 | 9,694,390 | 0.663 | 0.2321 | 0.1538 |
| 2033 | 4.2\% | 91.651 | 5.36\% | 483,171 | 574.822 | 10,269.212 | 0.638 | 0.2228 | 0.1420 |
| 2034 | 4.2\% | 95,500 | 5.36\% | 509,069 | 604,569 | 10.873.781 | 0.612 | 0.2138 | 0.1307 |
| 2035 | 4.2\% | 99,511 | $5.36 \%$ | 536,356 | 635,867 | 11,509,648 | 0.584 | 0.2052 | 0.1199 |
| 2036 | 4.2\% | 103,690 | 5.36\% | 565,104 | 668,795 | 12,178,443 | 0.556 | 0.1969 | 0.1095 |
| 2037 | 4.2\% | 108,045 | 5.36\% | 595,394 | 703,439 | 12,881.882 | 0.527 | 0.1890 | 0.0996 |
| 2038 | 4.2\% | 112,583 | 5.36\% | 627,307 | 739,890 | 13,621,772 | 0.497 | 0.1813 | 0.0901 |
| 2039 | 4.2\% | 117,312 | 5.36\% | 660,931 | 778,242 | 14,400,014 | 0.466 | 0.1740 | 0.0812 |

Exhibit 4, page 2

|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Year | Cost of <br> Living Adjustment | Indemnity <br> Payment | Medical <br> Inflation | Medical <br> Payment | Total <br> Payment <br> (2) + (4) | Cumulative <br> Total <br> Payment <br> Cum. of (5) | Probability of claimant living to mid-year | Present <br> Value <br> Factor | Discount for mortality \& investment income (7) $\times(8)$ |
| 2040 | 4.2\% | 122,239 | 5.36\% | 696,356 | 818,595 | 15,218,610 | 0.435 | 0.1670 | 0.0727 |
| 2041 | 4.2\% | 127,373 | 5.36\% | 733,681 | 861,054 | 16,079,664 | 0.403 | 0.1603 | 0.0647 |
| 2042 | 4.2\% | 132,723 | 5.36\% | 773,006 | 905,729 | 16,985,393 | 0.372 | 0.1538 | 0.0572 |
| 2043 | 4.2\% | 138,297 | 5.36\% | 814,440 | 952.737 | 17,938,129 | 0.340 | 0.1476 | 0.0501 |
| 2044 | 4.2\% | 144,105 | 5.36\% | 858,094 | 1,002,199 | 18,940,328 | 0.308 | 0.1417 | 0.0436 |
| 2045 | 4.2\% | 150,158 | 5.36\% | 904,087 | 1,054,245 | 19,994,574 | 0.277 | 0.1360 | 0.0376 |
| 2046 | 4.2\% | 156,465 | 5.36\% | 952,546 | 1,109,011 | 21,103,585 | 0.246 | 0.1305 | 0.0321 |
| 2047 | 4.2\% | 163,036 | 5.36\% | 1,003,603 | 1,166,639 | 22,270,224 | 0.217 | 0.1252 | 0.0271 |
| 2048 | 4.2\% | 169,884 | 5.36\% | 1,057,396 | 1,227,280 | 23,497,503 | 0.188 | 0.1202 | 0.0226 |
| 2049 | 4.2\% | 177,019 | 5.36\% | 1,114,072 | 1,291,091 | 24,788,594 | 0.162 | 0.1153 | 0.0187 |
| 2050 | 4.2\% | 184,453 | 5.36\% | 1,173,787 | 1,358,240 | 26,146,834 | 0.137 | 0.1107 | 0.0152 |
| 2051 | 4.2\% | 192,201 | 5.36\% | 1,236,702 | 1,428,902 | 27,575,737 | 0.114 | 0.1062 | 0.0121 |
| 2052 | 4.2\% | 200,273 | 5.36\% | 1,302,989 | 1,503,262 | 29,078,998 | 0.094 | 0.1019 | 0.0095 |
| 2053 | 4.2\% | 208,684 | 5.36\% | 1,372,829 | 1,581,513 | 30,660,512 | 0.075 | 0.0978 | 0.0074 |
| 2054 | 4.2\% | 217,449 | 5.36\% | 1,446,413 | 1,663,862 | 32,324,374 | 0.059 | 0.0939 | 0.0055 |
| 2055 | 4.2\% | 226,582 | 5.36\% | 1,523,940 | 1,750,522 | 34,074,896 | 0.045 | 0.0901 | 0.0041 |
| 2056 | 4.2\% | 236,098 | 5.36\% | 1,605,624 | 1,841,722 | 35,916,618 | 0.034 | 0.0865 | 0.0029 |
| 2057 | 4.2\% | 246,015 | 5.36\% | 1,691,685 | 1,937,700 | 37,854,318 | 0.025 | 0.0830 | 0.0021 |
| 2058 | 4.2\% | 256,347 | 5.36\% | 1,782,359 | 2,038,707 | 39,893,025 | 0.017 | 0.0796 | 0.0014 |
| 2059 | 4.2\% | 267,114 | 5.36\% | 1,877,894 | 2,145,008 | 42,038,032 | 0.012 | 0.0764 | 0.0009 |
| 2060 | 4.2\% | 278,333 | 5.36\% | 1,978,549 | 2,256,882 | 44,294,914 | 0.008 | 0.0733 | 0.0006 |
| 2061 | 4.2\% | 290,023 | 5.36\% | 2,084,599 | 2,374,622 | 46,669,535 | 0.005 | 0.0704 | 0.0003 |
| 2062 | 4.2\% | 302,203 | 5.36\% | 2,196,334 | 2,498,537 | 49,168,073 | 0.003 | 0.0676 | 0.0002 |
| 2063 | 4.2\% | 314,896 | 5.36\% | 2,314,057 | 2,628,953 | 51,797,026 | 0.002 | 0.0648 | 0.0001 |
| 2064 | 4.2\% | 328,122 | 5.36\% | 2,438,091 | 2,766,212 | 54,563,238 | 0.001 | 0.0622 | 0.0000 |
| 2065 | 4.2\% | 341,903 | 5.36\% | 2,568,772 | 2,910,675 | 57,473,913 | 0.0004 | 0.0597 | 0.0000 |
| 2065 | 4.2\% | 356,263 | 5.36\% | 2,706,459 | 3,062,721 | 60,536,634 | 0.0002 | 0.0573 | 0.0000 |
| 2067 | 4.2\% | 371,226 | 5.36\% | 2,851,525 | 3,222,750 | 63,759,385 | 0.0001 | 0.0550 | 0.0000 |
| 2068 | 4.2\% | 386.817 | 5.36\% | 3,004,366 | 3,391,184 | 67,150,568 | 0.00002 | 0.0528 | 0.0000 |
| 2069 | 4.2\% | 403,064 | $5.36 \%$ | 3,165,400 | 3,568,464 | 70,719,032 | 0.00001 | 0.0507 | 0.0000 |
| 2070 | $4.2 \%$ | 419,992 | 5.36\% | 3,335,066 | 3,755,058 | 74,474,091 | 0.000001 | 0.0486 | 0.0000 |
| 2071 | 4.2\% | 437.632 | 5.36\% | 3,513,825 | 3,951,457 | 78,425,548 | 0.0000002 | 0.0467 | 0.0000 |

(10)
(11) (12)
12)
(13)
(14)
(15)
(16)
(17)
(18)
(19)
(20)
(21)
(22)

Incremental Payments by Layer

|  | Year | Incrementai Payments by Layer |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | $\begin{gathered} \$ 130,000 \times \mathrm{s} \\ \$ 370,000 \end{gathered}$ | $\begin{gathered} \$ 500,000 \times \mathrm{s} \\ \$ 500,000 \end{gathered}$ | $\$ 1$ million xs SI million | $\$ 3$ million $\times \$$ $\$ 2$ million | $\$ 5$ million $\times s$ $\$ 5$ million | $\$ 5$ million $x$ s $\$ 10$ million | $\$ 5$ million $x$ $\$ 15$ million | $\$ 10$ million xs $\$ 20$ million | $\$ 10$ million xs $\$ 30$ million | $\$ 10$ million $\times s$ $\$ 40$ million | $\$ 10$ million $x$ s $\$ 50$ million | $\$ 10$ million $x$ $\$ 60$ million | $\$ 10$ million $x \$$ $\$ 70$ million |
|  | 1996 and prior |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  | 1997 | 94,592 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 1998 | 35,408 | 64,012 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 1999 | 0 | 104,497 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2000 | 0 | 109,836 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2001 | 0 | 115,450 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2002 | 0 | 106,204 | 15,148 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2003 | 0 | 0 | 127,560 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2004 | 0 | 0 | 134,088 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2005 | 0 | 0 | 140,953 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2006 | 0 | 0 | 148,172 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2007 | 0 | 0 | 155,764 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2008 | 0 | 0 | 163,748 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 2009 | 0 | 0 | 114,566 | 57,579 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2010 | 0 | 0 | 0 | 180,976 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2011 | 0 | 0 | 0 | 190,263 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2012 | 0 | 0 | 0 | 200,031 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2013 | 0 | 0 | 0 | 210,305 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2014 | 0 | 0 | 0 | 221,111 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2015 | 0 | 0 | 0 | 232,476 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2016 | 0 | 0 | 0 | 244,429 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2017 | 0 | 0 | 0 | 257,002 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2018 | 0 | 0 | 0 | 270,227 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2019 | 0 | 0 | 0 | 284.138 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2020 | 0 | 0 | 0 | 298,770 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2021 | 0 | 0 | 0 | 314,161 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2022 | 0 | 0 | 0 | 38,531 | 291,820 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2023 | 0 | 0 | 0 | 0 | 347,382 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2024 | 0 | 0 | 0 | 0 | 365,297 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2025 | 0 | 0 | 0 | 0 | 384,143 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2026 | 0 | 0 | 0 | 0 | 403,968 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2027 | 0 | 0 | 0 | 0 | 424,824 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2028 | 0 | 0 | 0 | 0 | 446,764 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2029 | 0 | 0 | 0 | 0 | 469.845 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2030 | 0 | 0 | 0 | 0 | 494,127 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2031 | 0 | 0 | 0 | 0 | 519,672 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2032 | 0 | 0 | 0 | 0 | 546,547 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2033 | 0 | 0 | 0 | 0 | 305,610 | 269,212 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |

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## Incremental Payments by Layer

| ear | \$130,000 As | 0,000 xs |  |  |  | - | $\$ 5$ million xs |  |  | \$10 million xs | 10 million xs |  | illion xs |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | \$370,000 | \$500,000 | \$1 million | \$2 million | \$5 million | \$10 million | \$15 million | \$20 million | \$30 million | \$40 million | \$50 million | \$60 million | \$70 million |
| 2034 | 0 | 0 | 0 | 0 | 0 | 604,569 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2035 | 0 | 0 | 0 | 0 | 0 | 635.867 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2036 | 0 | 0 | 0 | 0 | 0 | 668,795 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2037 | 0 | 0 | 0 | 0 | 0 | 703,439 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2038 | 0 | 0 | 0 | 0 | 0 | 739,890 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2039 | 0 | 0 | 0 | 0 | 0 | 778,242 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2040 | 0 | 0 | 0 | 0 | 0 | 599,986 | 218,610 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2041 | 0 | 0 | 0 | 0 | 0 | 0 | 861,054 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2042 | 0 | 0 | 0 | 0 | 0 | 0 | 905,729 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2043 | 0 | 0 | 0 | 0 | 0 | 0 | 952,737 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2044 | 0 | 0 | 0 | 0 | 0 | 0 | 1,002,199 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2045 | 0 | 0 | 0 | 0 | 0 | 0 | 1,054,245 | 0 | 0 | 0 | 0 | 0 | 0 |
| 2046 | 0 | 0 | 0 | 0 | 0 | 0 | 5,426 | 1,103,585 | 0 | 0 | 0 | 0 | 0 |
| 2047 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,166,639 | 0 | 0 | 0 | 0 | 0 |
| 2048 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,227,280 | 0 | 0 | 0 | 0 | 0 |
| 2049 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,291,091 | 0 | 0 | 0 | 0 | 0 |
| 2050 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,358,240 | 0 | 0 | 0 | 0 | 0 |
| 2051 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,428,902 | 0 | 0 | 0 | 0 | 0 |
| 2052 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,503,262 | 0 | 0 | 0 | 0 | 0 |
| 2053 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 921,002 | 660,512 | 0 | 0 | 0 | 0 |
| 2054 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,663,862 | 0 | 0 | 0 | 0 |
| 2055 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,750,522 | 0 | 0 | 0 | 0 |
| 2056 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,841,722 | 0 | 0 | 0 | 0 |
| 2057 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,937,700 | 0 | 0 | 0 | 0 |
| 2058 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,038,707 | 0 | 0 | 0 | 0 |
| 2059 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 106,975 | 2,038,032 | 0 | 0 | 0 |
| 2060 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,256,882 | 0 | 0 | 0 |
| 2061 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,374,622 | 0 | 0 | 0 |
| 2062 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,498,537 | 0 | 0 | 0 |
| 2063 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 831,927 | 1,797,026 | 0 | 0 |
| 2064 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,766,212 | 0 | 0 |
| 2065 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,910,675 | 0 | 0 |
| 2066 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,526,087 | 536,634 | 0 |
| 2067 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3,222,750 | 0 |
| 2068 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3,391,184 | 0 |
| 2069 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,849,432 | 719,032 |
| 2070 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3,755,058 |
| 2071 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3,951.457 |

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Columns are derived by multiplying the corresponding column from Exhibit 4, pages 3 and 4, by Column 9, from pages 1 and 2. For example, Column $23=$ Column $10 \times$ Column 9

|  | Year | \$500,000 xs | \$500,000 xs | \$1 million xs | \$3 million xs | \$5 million xs | \$5 million $\times$ s | \$5 million xs | \$10 million xs | \$10 million xs | \$10 million xs | \$10 million x8 | \$10 million xs | \$10 million xs |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | so | \$500,000 | \$1 million | \$2 million | \$5 million | \$10 million | \$15 million | \$20 million | \$30 million | \$40 million | \$50 million | \$60 million | \$70 million |
|  | 1996 and prios |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  | 1997 | 92,546 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 1998 | 33,158 | 59,944 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 1999 | 0 | 93,651 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2000 | 0 | 94,194 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2001 | 0 | 94,733 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2002 | 0 | 83,377 | 11,892 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2003 | 0 | 0 | 95,800 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2004 | 0 | 0 | 96,323 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2005 | 0 | 0 | 96,832 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2006 | 0 | 0 | 97,323 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2007 | 0 | 0 | 97,792 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2008 | 0 | 0 | 98,234 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2009 | 0 | 0 | 65,651 | 32.995 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2010 | 0 | 0 | 0 | 99,022 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2011 | 0 | 0 | 0 | 99,359 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2012 | 0 | 0 | 0 | 99,651 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2013 | 0 | 0 | 0 | 99,892 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2014 | 0 | 0 | 0 | 100,073 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2015 | 0 | 0 | 0 | 100,187 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2016 | 0 | 0 | 0 | 100,223 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2017 | 0 | 0 | 0 | 100,175 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2018 | 0 | 0 | 0 | 100,036 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2019 | 0 | 0 | 0 | 99,796 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2020 | 0 | 0 | 0 | 99,445 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2021 | 0 | 0 | 0 | 98,971 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2022 | 0 | 0 | 0 | 11,473 | 86,892 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2023 | 0 | 0 | 0 | 0 | 97,621 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2024 | 0 | 0 | 0 | 0 | 96,733 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2025 | 0 | 0 | 0 | 0 | 95,701 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2025 | 0 | 0 | 0 | 0 | 94.524 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2027 | 0 | 0 | 0 | 0 | 93,201 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2028 | 0 | 0 | 0 | 0 | 91,726 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2029 | 0 | 0 | 0 | 0 | 90,088 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2030 | 0 | 0 | 0 | 0 | 88,273 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2031 | 0 | 0 | 0 | 0 | 86,265 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2032 | 0 | 0 | 0 | 0 | 84,057 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2033 | 0 | 0 | 0 | 0 | 43,408 | 38,239 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |


#### Abstract

(23) (24) (25) (26) (27) (28) (29) (30) (31) (32) (33) (34) (35)


Coiumns are derived by multiplying the corresponding column from Exhibit 4 , pages 3 and 4 , by Column 9 , from pages 1 and 2 . For example. Column $23=$ Column $10 \times$ Column 9


| \$500,000 xs | \$500,000 xs | \$1 million xs | \$3 million $\times$ s | \$5 million xs | \$5 million xs | \$5 million xs | \$10 million $\times 5$ | \$10 million xs | \$10 million xs | $\$ 10$ million $\times 5$ | \$10 million xs | \$10 million xs |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| \$0 | \$500,000 | \$1 million | \$2 million | \$5 million | \$10 million | \$15 million | \$20 million | \$30 million | \$40 million | \$50 million | \$60 million | \$70 million |
| 0 | 0 | 0 | 0 | 0 | 79.039 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 76,233 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 73,234 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 70,047 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 66.684 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 63,156 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 43,596 | 15,885 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 55,676 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 51,764 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 47,769 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 43,723 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 39,657 | 0 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 174 | 35,433 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 31,632 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 27,783 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 24,088 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 20,590 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 17,325 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 14,328 | 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 6,770 | 4,855 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 9,234 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 7.165 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 5,415 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3,975 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,824 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 9 | 1,838 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,271 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 797 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 474 | 0 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 84 | 181 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 138 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 66 | 0 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 24 | 5 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 11 | 0 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 4 | 0.00 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0.21 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.22 |
| 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.03 |
| 125,704 | 425,899 | 659,848 | 1,241,298 | 1,048,489 | 510,228 | 254,647 | 177,949 | 33,565 | 4,463 | 409 | 21 | 0.47 |
| Overall Total = |  | 4,482,519 |  |  |  |  |  |  |  |  |  |  |

## Exhibit 5, Page 1

## Fitting of Auto-regressive model for CPI

Model: $\quad$ Inflation rate $=$ average inflation $+\alpha$ (last year's inflation - average inflation $)+$ error term where error term is represented by a shifted lognormal
$\alpha=0.5087$
$\alpha$ is chosen to minimize the sum of the squared errors in Col. 4

| Year | (1) <br> CPI at December | (2) <br> Annual \% Increase in CPI | (3) <br> LeastSquares Fit of Inflation Model* | (4) <br> Squared Error** | (5) ${ }_{\text {Errors*** }}$ | $(6)$ Error + . 07 | $(7)$ $\log ($ error +.07$)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1935 | 13.8 |  |  |  |  |  |  |
| 1936 | 14.0 | 1.4\% |  |  |  |  |  |
| 1937 | 14.4 | 2.9\% | 2.8\% | 0.00000 | 0.00074 | 0.07074 | (2.64877) |
| 1938 | 14.0 | -2.8\% | 3.5\% | 0.00394 | (0.06277) | 0.00723 | (4.93002) |
| 1939 | 14.0 | 0.0\% | 0.6\% | 0.00004 | (0.00633) | 0.06367 | (2.75402) |
| 1940 | 14.1 | 0.7\% | 2.0\% | 0.00018 | (0.01332) | 0.05668 | (2.87029) |
| 1941 | 15.5 | 9.9\% | 2.4\% | 0.00565 | 0.07520 | 0.14520 | $(1.92967)$ |
| 1942 | 16.9 | 9.0\% | 7.1\% | 0.00037 | 0.01935 | 0.08935 | (2.41521) |
| 1943 | 17.4 | 3.0\% | 6.6\% | 0.00136 | (0.03683) | 0.03317 | (3.40598) |
| 1944 | 17.8 | 2.3\% | 3.6\% | 0.00016 | (0.01252) | 0.05748 | (2.85638) |
| 1945 | 18.2 | 2.2\% | 3.2\% | 0.00009 | (0.00968) | 0.06032 | (2.80815) |
| 1946 | 21.5 | 18.1\% | 3.2\% | 0.02233 | 0.14943 | 0.21943 | (1.51674) |
| 1947 | 23.4 | 8.8\% | 11.3\% | 0.00059 | (0.02433) | 0.04567 | (3.08639) |
| 1948 | 24.1 | 3.0\% | 6.5\% | 0.00126 | (0.03550) | 0.03450 | (3.36693) |
| 1949 | 23.6 | -2.1\% | 3.6\% | 0.00318 | (0.05643) | 0.01357 | (4.29960) |
| 1950 | 25.0 | 5.9\% | 1.0\% | 0.00244 | 0.04942 | 0.11942 | (2.12514) |
| 1951 | 26.5 | 6.0\% | 5.1\% | 0.00009 | 0.00936 | 0.07936 | (2.53376) |
| 1952 | 26.7 | 0.8\% | $5.1 \%$ | 0.00189 | (0.04344) | 0.02656 | (3.62827) |
| 1953 | 26.9 | 0.7\% | 2.4\% | 0.00028 | (0.01681) | 0.05319 | (2.93387) |
| 1954 | 26.7 | -0.7\% | 2.4\% | 0.00101 | (0.03171) | 0.03829 | (3.26246) |
| 1955 | 26.8 | 0.4\% | 1.7\% | 0.00017 | (0.01293) | 0.05707 | (2.86352) |
| 1956 | 27.6 | 3.0\% | 2.2\% | 0.00006 | 0.00749 | 0.07749 | (2.55767) |
| 1957 | 28.4 | 2.9\% | 3.6\% | 0.00004 | (0.00666) | 0.06334 | (2.75926) |
| 1958 | 28.9 | 1.8\% | 3.5\% | 0.00031 | (0.01760) | 0.05240 | (2.94887) |
| 1959 | 29.4 | 1.7\% | 2.9\% | 0.00015 | (0.01212) | 0.05788 | (2.84931) |
| 1960 | 29.8 | 1.4\% | 2.9\% | 0.00025 | (0.01566) | 0.05434 | (2.91243) |
| 1961 | 30.0 | 0.7\% | 2.7\% | 0.00043 | (0.02067) | 0.04933 | (3.00923) |
| 1962 | 30.4 | 1.3\% | 2.4\% | 0.00011 | (0.01054) | 0.05946 | (2.82247) |
| 1963 | 30.9 | 1.6\% | 2.7\% | 0.00012 | (0.01080) | 0.05920 | (2.82677) |
| 1964 | 31.2 | 1.0\% | 2.9\% | 0.00037 | (0.01912) | 0.05088 | (2.97827) |
| 1965 | 31.8 | 1.9\% | 2.5\% | 0.00004 | (0.00617) | 0.06383 | (2.75151) |
| 1966 | 32.9 | 3.5\% | 3.0\% | 0.00002 | 0.00435 | 0.07435 | (2.59901) |
| 1967 | 33.9 | 3.0\% | 3.8\% | 0.00006 | (0.00766) | 0.06234 | (2.77520) |
| 1968 | 35.5 | 4.7\% | 3.6\% | 0.00013 | 0.01127 | 0.08127 | (2.50993) |
| 1969 | 37.7 | 6.2\% | 4.4\% | 0.00031 | 0.01750 | 0.08750 | (2.43612) |

## Exhibit 5, Page 2

| Year | (1) | (2) | (3) | (4) | (5) | (6) | (7) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | Least- |  |  |  |  |
|  |  | Annual \% | Squares Fit |  |  |  |  |
|  | CPI at December | Increase in CPI | of Inflation Model* | Squared <br> Error** | Errors*** | Error + . 07 |  |
|  |  |  |  |  | Errors** |  |  |
| 1970 | 39.8 | 5.6\% | 5.2\% | 0.00001 | 0.00371 | 0.07371 | (2.60755) |
| 1971 | 41.1 | 3.3\% | 4.9\% | 0.00026 | (0.01614) | 0.05386 | (2.92129) |
| 1972 | 42.5 | 3.4\% | 3.7\% | 0.00001 | (0.00301) | 0.06699 | (2.70328) |
| 1973 | 46.2 | 8.7\% | 3.8\% | 0.00243 | 0.04927 | 0.11927 | (2.12637) |
| 1974 | 51.9 | 12.3\% | 6.5\% | 0.00344 | 0.05863 | 0.12863 | (2.05085) |
| 1975 | 55.5 | 6.9\% | 8.3\% | 0.00019 | (0.01386) | 0.05614 | (2.87997) |
| 1976 | 58.2 | 4.9\% | 5.6\% | 0.00005 | (0.00710) | 0.06290 | (2.76621) |
| 1977 | 62.1 | 6.7\% | 4.5\% | 0.00048 | 0.02180 | 0.09180 | (2.38814) |
| 1978 | 67.7 | 9.0\% | 5.5\% | 0.00127 | 0.03563 | 0.10563 | (2.24785) |
| 1979 | 76.7 | 13.3\% | 6.6\% | 0.00444 | 0.06660 | 0.13660 | (1.99068) |
| 1980 | 86.3 | 12.5\% | 8.8\% | 0.00137 | 0.03707 | 0.10707 | (2.23427) |
| 1981 | 94.0 | 8.9\% | 8.4\% | 0.00003 | 0.00509 | 0.07509 | (2.58910) |
| 1982 | 97.6 | 3.8\% | 6.6\% | 0.00076 | (0.02755) | 0.04245 | (3.15954) |
| 1983 | 101.3 | 3.8\% | 4.0\% | 0.00000 | (0.00203) | 0.06797 | (2.68875) |
| 1984 | 105.3 | 3.9\% | 4.0\% | 0.00000 | (0.00026) | 0.06974 | (2.66298) |
| 1985 | 109.3 | 3.8\% | 4.1\% | 0.00001 | (0.00256) | 0.06744 | (2.69655) |
| 1986 | 110.5 | 1.1\% | 4.0\% | 0.00083 | (0.02881) | 0.04119 | (3.18948) |
| 1987 | 115.4 | 4.4\% | 2.6\% | 0.00033 | 0.01830 | 0.08830 | (2.42704) |
| 1988 | 120.5 | 4.4\% | 4.3\% | 0.00000 | 0.00117 | 0.07117 | (2.64263) |
| 1989 | 126.1 | 4.6\% | 4.3\% | 0.00001 | 0.00353 | 0.07353 | (2.61007) |
| 1990 | 133.8 | 6.1\% | 4.4\% | 0.00029 | 0.01696 | 0.08696 | (2.44231) |
| 1991 | 137.9 | 3.1\% | 5.2\% | 0.00044 | (0.02088) | 0.04912 | (3.01355) |
| 1992 | 141.9 | 2.9\% | 3.6\% | 0.00005 | (0.00704) | 0.06296 | (2.76531) |
| 1993 | 145.8 | 2.7\% | 3.5\% | 0.00006 | (0.00773) | 0.06227 | (2.77633) |
| 1994 | 149.7 | 2.7\% | 3.4\% | 0.00006 | (0.00769) | 0.06231 | (2.77569) |
| 1995 | 153.5 | 2.5\% | 3.4\% | 0.00008 | (0.00868) | 0.06132 | (2.79172) |
| Average |  | 4.2\% |  | 0.00109 | 0.00032 | 0.07032 | (2.76472) |
| Std. Dev. |  |  |  |  | 0.03329 | 0.03329 | 0.51239 |

* Column 3 is calculated as: [Avg. of Col. 2] + $\alpha$ [Value of Col. 3 for previous yr - Avg. of Col. 2]
** Column 4 is calculated as: $\{\mathrm{Col} .2-\mathrm{Col} .3\}^{2}$
*** Column 5 is calculated as [Col. 2 - Col. 3]
Shifted lognormal to model the error term is calculated by fitting a lognormal to Col. 6, the error term, plus a shift of .07, which ensures that all the error terms are positive. The lognormal is fitted using the method of moments where:

$$
\begin{aligned}
& \mu=-2.7647 \\
& \sigma=0.5124
\end{aligned}
$$

## Fitting of Model for Medical Inflation

Model:
Medical inflation , $=$ inflation $_{,}+\beta\left(\right.$ Medical inflation $_{\text {s.I }}-$ Inflation $\left._{\text {f. }}\right)+($ Average
medical inflation - average inflation $)+$ error $_{\text {t }}$
$B$ is chosen to minimize the sum of the squared errors in column 6

| Year | (1) <br> Medical CPI at December | (2) <br> Annual \% Increase in Medical CPI | (3) <br> Annual \% Increase in Overall CPI | (4) <br> Least- <br> Squares Fit of Medical Inflatlon Model* | (5) ${ }_{\text {(1) }}$ Error** | (6) <br> Squared Error*** |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1935 | 10.2 |  |  |  |  |  |
| 1936 | 10.2 | 0.0\% | 1.4\% |  |  |  |
| 1937 | 10.3 | 1.0\% | 2.9\% | 3.5\% | -2.48\% | 0.00062 |
| 1938 | 10.3 | 0.0\% | -2.8\% | -2.3\% | 2.33\% | 0.00054 |
| 1939 | 10.4 | 1.0\% | 0.0\% | 2.2\% | -1.25\% | 0.00016 |
| 1940 | 10.4 | 0.0\% | 0.7\% | 2.2\% | -2.25\% | 0.00051 |
| 1941 | 10.5 | 1.0\% | 9.9\% | 10.8\% | -9.86\% | 0.00972 |
| 1942 | 10.9 | 3.8\% | 9.0\% | 6.8\% | -2.96\% | 0.00087 |
| 1943 | 11.4 | 4.6\% | 3.0\% | 2.1\% | 2.46\% | 0.00061 |
| 1944 | 11.7 | 2.6\% | 2.3\% | 4.1\% | -1.45\% | 0.00021 |
| 1945 | 12.0 | 2.6\% | 2.2\% | 3.5\% | -0.97\% | 0.00009 |
| 1946 | 13.0 | 8.3\% | 18.1\% | 19.4\% | -11.08\% | 0.01228 |
| 1947 | 13.9 | 6.9\% | 8.8\% | 6.3\% | 0.67\% | 0.00004 |
| 1948 | 14.7 | 5.8\% | 3.0\% | 3.4\% | 2.33\% | 0.00054 |
| 1949 | 14.9 | 1.4\% | -2.1\% | 0.1\% | 1.22\% | 0.00015 |
| 1950 | 15.4 | 3.4\% | 5.9\% | $8.4 \%$ | -5.05\% | 0.00255 |
| 1951 | 16.3 | 5.8\% | 6.0\% | 6.2\% | -0.33\% | 0.00001 |
| 1952 | 17.0 | 4.3\% | 0.8\% | 1.9\% | 2.44\% | 0.00059 |
| 1953 | 17.6 | 3.5\% | 0.7\% | 3.3\% | 0.26\% | 0.00001 |
| 1954 | 18.0 | 2.3\% | -0.7\% | 1.5\% | 0.79\% | 0.00006 |
| 1955 | 18.6 | 3.3\% | 0.4\% | 2.7\% | 0.64\% | 0.00004 |
| 1956 | 19.2 | 3.2\% | 3.0\% | 5.3\% | -2.05\% | 0.00042 |
| 1957 | 20.1 | 4.7\% | 2.9\% | 4.2\% | 0.53\% | 0.00003 |
| 1958 | 21.0 | 4.5\% | 1.8\% | 3.6\% | 0.87\% | 0.00008 |
| 1959 | 21.8 | 3.8\% | 1.7\% | 3.9\% | -0.12\% | 0.00000 |
| 1960 | 22.5 | 3.2\% | 1.4\% | 3.3\% | -0.11\% | 0.00000 |
| 1961 | 23.2 | 3.1\% | 0.7\% | 2.5\% | 0.57\% | 0.00003 |
| 1962 | 23.7 | 2.2\% | 1.3\% | 3.4\% | $-1.27 \%$ | 0.00016 |
| 1963 | 24.3 | 2.5\% | 1.6\% | 3.1\% | -0.59\% | 0.00003 |
| 1964 | 24.8 | 2.1\% | 1.0\% | 2.5\% | -0.41\% | 0.00002 |
| 1965 | 25.5 | 2.8\% | 1.9\% | 3.5\% | -0.68\% | 0.00005 |
| 1966 | 27.2 | 6.7\% | 3.5\% | 5.0\% | 1.70\% | 0.00029 |
| 1967 | 28.9 | 6.3\% | 3.0\% | 5.4\% | 0.82\% | 0.00007 |
| 1968 | 30.7 | 6.2\% | 4.7\% | 7.1\% | -0.88\% | 0.00008 |
| 1969 | 32.6 | 6.2\% | 6.2\% | 7.9\% | -1.75\% | 0.00031 |
| 1970 | 35.0 | 7.4\% | 5.6\% | 6.7\% | 0.63\% | 0.00004 |
| 1971 | 36.6 | 4.6\% | 3.3\% | 5.1\% | -0.54\% | 0.00003 |
| 1972 | 37.8 | 3.3\% | 3.4\% | 5.1\% | -1.79\% | 0.00032 |
| 1973 | 39.8 | 5.3\% | 8.7\% | 9.8\% | -4.53\% | 0.00205 |
| 1974 | 44.8 | 12.6\% | 12.3\% | 12.2\% | 0.37\% | 0.00001 |
| 1975 | 49.2 | 9.8\% | 6.9\% | 8.2\% | 1.64\% | 0.00027 |
| 1976 | 54.1 | 10.0\% | 4.9\% | 7.1\% | 2.83\% | 0.00080 |
| 1977 | 58.9 | 8.9\% | 6.7\% | 9.8\% | -0.94\% | 0.00009 |

Exhibit 6, Page 2

| Year | (1) <br> Medical CPI at December | (2) <br> Annual \% Increase in Medical CPI | (3) <br> Annual \% Increase in Overall CPI | (4) <br> Least- <br> Squares Fit of Medical Inflation Model* | (5) | (6) <br> Squared Error*** |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1978 | 64.1 | 8.8\% | 9.0\% | 11.0\% | -2.18\% | 0.00048 |
| 1979 | 70.6 | 10.1\% | 13.3\% | 14.4\% | -4.24\% | 0.00180 |
| 1980 | 77.6 | 9.9\% | 12.5\% | 12.5\% | -2.56\% | 0.00065 |
| 1981 | 87.3 | 12.5\% | 8.9\% | 9.1\% | 3.41\% | 0.00116 |
| 1982 | 96.9 | 11.0\% | 3.8\% | 6.4\% | 4.64\% | 0.00215 |
| 1983 | 103.1 | 6.4\% | 3.8\% | 7.7\% | -1.29\% | 0.00017 |
| 1984 | 109.4 | 6.1\% | 3.9\% | 6.1\% | 0.00\% | 0.00000 |
| 1985 | 116.8 | 6.8\% | 3.8\% | 5.8\% | 0.98\% | 0.00010 |
| 1986 | 125.8 | 7.7\% | 1.1\% | 3.4\% | 4.31\% | 0.00186 |
| 1987 | 133.1 | 5.8\% | 4.4\% | 8.1\% | -2.32\% | 0.00054 |
| 1988 | 142.3 | 6.9\% | 4.4\% | 6.1\% | 0.81\% | 0.00007 |
| 1989 | 154.4 | 8.5\% | 4.6\% | 6.8\% | 1.74\% | 0.00030 |
| 1990 | 169.2 | 9.6\% | 6.1\% | 8.7\% | 0.84\% | 0.00007 |
| 1991 | 182.6 | 7.9\% | 3.1\% | 5.6\% | 2.36\% | 0.00056 |
| 1992 | 194.7 | 6.6\% | 2.9\% | 5.9\% | 0.71\% | 0.00005 |
| 1993 | 205.2 | 5.4\% | 2.7\% | 5.3\% | 0.06\% | 0.00000 |
| 1994 | 215.3 | 4.9\% | 2.7\% | 4.8\% | 0.07\% | 0.00000 |
| 1995 | 223.8 | 3.9\% | 2.5\% | 4.6\% | -0.61\% | 0.00004 |
| Mean |  | 5.3\% | 4.2\% |  | -0.40\% | 0.00076 |
|  |  |  |  |  | $\begin{aligned} & 2.75 \% \\ &= \text { Std. Dev. } \\ & \text { of errors. } \end{aligned}$ | $\begin{aligned} & 0.04477 \\ & =\text { Sum of } \end{aligned}$ square errors |

Average difference between medical inflation and inflation (i.e., avg. of Col. 2 - avg. of Col, 3 ) $=1.16 \%$

* Column 4 is calculated as Col. 3 for previous year + B[Col. 2 for previous year -Col. 3 for
previous year] + [Avg. of Col. 2 - Avg. of Col. 3]
** Column $5=$ Column $2-$ Column 4
*** Column $6=\{\text { Column } 5\}^{2}$
$B$ is fitted to minimize the sum of column 6.


## One Simulation from Method 3 Stochastic Mortality, Inflation, Medical Inflation, and Investment Yields



|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | 18) | (9) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Year | Cost of <br> Living Adjustment | Indemnity Payment | Medical Inflation | Medical <br> Payment | Total Payment (2) $+(4)$ | Cumulative <br> Total <br> Payment Cum. of (5) | Probability of claimant living to mid-year | Present <br> Value <br> Factor | Discount for mortality \& investment income (7) $\times(8)$ |
| 2039 | $4.0 \%$ | 71.212 | -3.11\% | 586,585 | 657,797 | 11,599,491 | 0.466 | 0.1787 | 0.0833 |
| 2040 | 0.0\% | 71,212 | 4.36\% | 159,131 | 230,343 | 11,829.835 | 0.435 | 0.1720 | 0.0748 |
| 2041 | 0.0\% | 71,212 | 8.06\% | 498,516 | 569,728 | 12,399,562 | 0.403 | 0.1669 | 0.0673 |
| 2042 | 4.6\% | 74,508 | 2.36\% | 436,885 | 511,393 | 12,910,956 | 0.372 | 0.1599 | 0.0594 |
| 2043 | 0.3\% | 74,714 | 4.09\% | 1,029,491 | 1.104,205 | 14,015,160 | 0.340 | 0.1517 | 0.0515 |
| 2044 | 2.3\% | 76,449 | 2.38\% | 523,272 | 599,722 | 14,614.882 | 0.308 | 0.1353 | 0.0417 |
| 2045 | 2.2\% | 78,156 | 7.11\% | 555,505 | 633,662 | 15,248.544 | 0.277 | 0.1169 | 0.0324 |
| 2046 | 2.7\% | 80.276 | 7.32\% | 1,182,773 | 1.263,049 | 16,511,592 | 0.246 | 0.1061 | 0.0261 |
| 2047 | 2.4\% | 82,185 | 3.30\% | 392,255 | 474,440 | 16,986,033 | 0.217 | 0.1011 | 0.0219 |
| 2048 | 0.9\% | 82.966 | 1.78\% | 274,463 | 357,428 | 17,343,461 | 0.188 | 0.0980 | 0.0185 |
| 2049 | 1.1\% | 83.851 | -0.06\% | 436.779 | 520,629 | 17,864,090 | 0.162 | 0.0945 | 0.0153 |
| 2050 | 0.0\% | 83,851 | 1.54\% | 779,726 | 863,577 | 18,727,667 | 0.137 | 0.0911 | 0.0125 |
| 2051 | 0.0\% | 83,851 | 2.85\% | 239.547 | 323,398 | 19,051,066 | 0.114 | 0.0897 | 0.0102 |
| 2052 | 0.0\% | 83.851 | 3.63\% | 438,803 | 522,654 | 19,573,720 | 0.094 | 0.0888 | 0.0083 |
| 2053 | 0.3\% | 84,069 | 2.03\% | 980,719 | 1,064,789 | 20,638,509 | 0.075 | 0.0874 | 0.0066 |
| 2054 | 0.0\% | 84,069 | $11.94 \%$ | 451,630 | 535,699 | 21,174,208 | 0.059 | 0.0843 | 0.0050 |
| 2055 | 4.3\% | 87.715 | 6.71\% | 843,104 | 930,819 | 22,105,027 | 0.045 | 0.0796 | 0.0036 |
| 2056 | 5.0\% | 92.101 | 14.17\% | 842.189 | 934,290 | 23,039,317 | 0.034 | 0.0756 | 0.0026 |
| 2057 | 5.0\% | 96,706 | 6.06\% | 823.588 | 920,294 | 23,959,611 | 0.025 | 0.0702 | 0.0017 |
| 2058 | 3.3\% | 99,852 | -3.28\% | 400,213 | 500,065 | 24,459,676 | 0.017 | 0.0646 | 0.0011 |
| 2059 | 0.0\% | 99.852 | 24.39\% | 5,305,393 | 5,405,244 | 29,864.920 | 0.012 | 0.0599 | 0.0007 |
| 2060 | 5.0\% | 104,844 | 15.98\% | 1,891,811 | 1,996,656 | 31,861,576 | 0.008 | 0.0560 | 0.0004 |
| 2061 | 5.0\% | 110,087 | 5.35\% | 5,825,837 | 5,935,924 | 37.797.500 | 0.005 | 0.0535 | 0.0003 |
| 2062 | 2.5\% | 112.805 | 5.22\% | 1.102,848 | 1,215,652 | 39,013,153 | 0.003 | 0.0501 | 0.0001 |
| 2063 | 4.5\% | 117.903 | 3.14\% | 591,854 | 709,757 | 39,722,910 | 0.002 | 0.0470 | 0.0001 |
| 2064 | 0.8\% | 118,864 | 7.99\% | 1,406,116 | 1,524,980 | 41,247,889 | 0.001 | 0.0451 | 0.0000 |
| 2065 | 5.0\% | 124.807 | 10.89\% | 7,307.112 | 7.431.919 | 48,679.808 | 0.0004 | 0.0440 | 0.0000 |
| 2066 | $5.0 \%$ | 131,047 | 9.24\% | 4,535,733 | 4,666,780 | 53,346,589 | 0.0002 | 0.0429 | 0.0000 |
| 2067 | 5.0\% | 137,600 | 16.37\% | 5,857,809 | 5,995,408 | 59,341,997 | 0.0001 | 0.0418 | 0.0000 |
| 2068 | 5.0\% | 144,480 | 16.02\% | 1,370,853 | 1,515,332 | 60,857,329 | 0.00002 | 0.0404 | 0.0000 |
| 2069 | 5.0\% | 151,704 | 12.40\% | 4,972,397 | 5,124,100 | 65,981,429 | 0.00001 | 0.0383 | 0.0000 |
| 2070 | 5.0\% | 159,289 | 9.96\% | 7,659,607 | 7,818,896 | 73,800,325 | 0.000001 | 0.0352 | 0.0000 |
| 2071 | 5.0\% | 167.253 | 11.63\% | 10,212,211 | 10,379,464 | 84,179,788 | 0.0000002 | 0.0320 | 0.0000 |

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Incremental Payments by Layer
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1996 and prior
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2019
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2022
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2025
2026
2027
2028
2029
2030
2031
2032 $\$ 370,000 \quad \$ 500,000 \quad \$ 1$ million $\$ 2$ million $\$ 5$ million $\$ 10$ million $\$ 15$ million $\$ 20$ million $\$ 30$ million

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| 248,680 | 0 | 0 | 0 |
| 76,227 | 0 | 0 | 0 |
| 109,552 | 0 | 0 | 0 |
| 130,788 | 0 | 0 | 0 |
| 129,655 | 0 | 0 | 0 |
| 164,703 | 0 | 0 | 0 |
| 140,395 | 3,569 | 0 | 0 |
| 0 | 150,535 | 0 | 0 |
| 0 | 111,149 | 0 | 0 |
| 0 | 278,632 | 0 | 0 |
| 0 | 430,658 | 0 | 0 |
| 0 | 280,426 | 0 | 0 |
| 0 | 158,568 | 0 | 0 |
| 0 | 192,421 | 0 | 0 |
| 0 | 546,529 | 0 | 0 |
| 0 | 362,198 | 0 | 0 |
| 0 | 204,669 | 0 | 0 |
| 0 | 236,663 | 0 | 0 |
| 0 | 33,984 | 129,385 | 0 |
| 0 | 0 | 203,960 | 0 |
| 0 | 0 | 651,090 | 0 |
| 0 | 0 | 198,410 | 0 |
| 0 | 0 | 398,898 | 0 |
| 0 | 0 | 200,237 | 0 |
| 0 | 0 | 146,705 | 0 |
| 0 | 0 | 389,137 | 0 |
| 0 | 0 | 359,297 | 0 |
| 0 | 0 | 207,782 | 0 |
| 0 | 0 | 288,169 | 0 |
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Incremental Payments by Layer

|  | Year | \$130,000 xs | \$500,000 xs | \$1 million xs | \$3 million $\times$ s | \$5 million xs | \$5 million ss | \$5 million xs | \$10 million xs | \$10 million xs | \$10 million x | \$10 million xs | \$10 million xs | \$10 million xs | \$10 million $\times 5$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | \$370,000 | \$500,000 | \$1 million | \$2 million | \$5 million | \$10 million | $\$ 15$ million | \$20 million | \$30 million | \$40 million | \$50 million | $\$ 60$ million | \$70 million | \$80 million |
|  | 2033 | 0 | 0 | 0 | 0 | 291,354 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2034 | 0 | 0 | 0 | 0 | 465,093 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2035 | 0 | 0 | 0 | 0 | 593,483 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2036 | 0 | 0 | 0 | 0 | 287,158 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2037 | 0 | 0 | 0 | 0 | 189.840 | 444,386 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2038 | 0 | 0 | 0 | 0 | 0 | 497,308 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2039 | 0 | 0 | 0 | 0 | 0 | 657,797 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2040 | 0 | 0 | 0 | 0 | 0 | 230,343 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2041 | 0 | 0 | 0 | 0 | 0 | 569,728 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2042 | 0 | 0 | 0 | 0 | 0 | 511,393 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2043 | 0 | 0 | 0 | 0 | 0 | 1,104,205 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2044 | 0 | 0 | 0 | 0 | 0 | 599,722 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2045 | 0 | 0 | 0 | 0 | 0 | 385,118 | 248,544 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2046 | 0 | 0 | 0 | 0 | 0 | 0 | 1,263,049 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2047 | 0 | 0 | 0 | 0 | 0 | 0 | 474,440 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2048 | 0 | 0 | 0 | 0 | 0 | 0 | 357,428 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\bigcirc$ | 2049 | 0 | 0 | 0 | 0 | 0 | 0 | 520,629 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2050 | 0 | 0 | 0 | 0 | 0 | 0 | 863,577 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2051 | 0 | 0 | 0 | 0 | 0 | 0 | 323,398 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2052 | 0 | 0 | 0 | 0 | 0 | 0 | 522,654 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2053 | 0 | 0 | 0 | 0 | 0 | 0 | 426,280 | 638,509 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2054 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 535,699 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2055 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 930,819 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2056 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 934,290 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2057 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 920,294 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2058 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 500,065 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2059 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 5,405,244 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2060 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 135,080 | 1,861,576 | 0 | 0 | 0 | 0 | 0 |
|  | 2061 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 5,935,924 | 0 | 0 | 0 | 0 | 0 |
|  | 2062 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,215,652 | 0 | 0 | 0 | 0 | 0 |
|  | 2063 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 709.757 | 0 | 0 | 0 | 0 | 0 |
|  | 2064 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 277,090 | 1,247,889 | 0 | 0 | 0 | 0 |
|  | 2065 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 7,431,919 | 0 | 0 | 0 | 0 |
|  | 2066 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,320,192 | 3,346,589 | 0 | 0 | 0 |
|  | 2067 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 5,995,408 | 0 | 0 | 0 |
|  | 2068 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 658,003 | 857,329 | 0 | 0 |
|  | 2069 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 5,124,100 | 0 | 0 |
|  | 2070 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 4,018,571 | 3,800,325 | 0 |
|  | 2071 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 6.199,675 | 4,179,788 |
|  |  | 130,000 | 500,000 | 1,000,000 | 3,000,000 | 5,000,000 | 5,000,000 | 3,000,000 | 10,000,000 | 10,000,000 | 10,000,000 | 10,000,000 | 10,000,000 | 10,000,000 | 4,179,788 |

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Columns are derived by multiplying the comesponding column from Exhibit 4 , pages 3 and 4 , by Column 9 , from pages 1 and 2 . For example, Column $24=$ Column $10 \times$ Column 9



Commutation Value by Layer, Discounted for Both Mortality and Investment Income
Columns are derived by multiplying the corresponding column from Exhibit 4, pages 3 and 4 , by Column 9, from pages I and 2. For example, Column $24=$ Column $10 \times$ Column 9

|  | Year | \$500,000 xs | \$500,000 xs | \$1 million xs | \$3 million xs | \$5 million xs | \$5 million xs | \$5 million xs | \$10 million xs | \$10 million $\times$ s | \$10 million xs | \$10 million xs | \$10 million xs | \$10 million xs | \$10 million xs |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | \$0 | \$500,000 | $\$ 1$ million | \$2 million | \$5 million | \$10 million | \$15 million | \$20 million | 530 million | \$40 million | 550 million | 560 million | \$70 million | \$80 million |
|  | 2033 | 0 | 0 | 0 | 0 | 40,012 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2034 | 0 | 0 | 0 | 0 | 60,197 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2035 | 0 | 0 | 0 | 0 | 73.083 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2036 | 0 | 0 | 0 | 0 | 33,316 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2037 | 0 | 0 | 0 | 0 | 19,808 | 46,367 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2038 | 0 | 0 | 0 | 0 | 0 | 46,163 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2039 | 0 | 0 | 0 | 0 | 0 | 54,806 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2040 | 0 | 0 | 0 | 0 | 0 | 17,233 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2041 | 0 | 0 | 0 | 0 | 0 | 38,354 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2042 | 0 | 0 | 0 | 0 | 0 | 30,387 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2043 | 0 | 0 | 0 | 0 | 0 | 56,878 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2044 | 0 | 0 | 0 | 0 | 0 | 24,993 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2045 | 0 | 0 | 0 | 0 | 0 | 12.459 | 8,041 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2046 | 0 | 0 | 0 | 0 | 0 | 0 | 32.988 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| $\cdots$ | 2047 | 0 | 0 | 0 | 0 | 0 | 0 | 10.388 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2048 | 0 | 0 | 0 | 0 | 0 | 0 | 6,598 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2049 | 0 | 0 | 0 | 0 | 0 | 0 | 7,956 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2050 | 0 | 0 | 0 | 0 | 0 | 0 | 10,779 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2051 | 0 | 0 | 0 | 0 | 0 | 0 | 3,310 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2052 | 0 | 0 | 0 | 0 | 0 | 0 | 4,338 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2053 | 0 | 0 | 0 | 0 | 0 | 0 | 2.798 | 4,192 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2054 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,669 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2055 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3,366 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2056 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,401 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2057 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,597 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2058 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 562 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2059 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3,817 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2060 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 58 | 801 | 0 | 0 | 0 | 0 | 0 |
|  | 2061 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1.514 | 0 | 0 | 0 | 0 | 0 |
|  | 2062 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 171 | 0 | 0 | 0 | 0 | 0 |
|  | 2063 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 52 | 0 | 0 | 0 | 0 | 0 |
|  | 2064 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 10 | 45 | 0 | 0 | 0 | 0 |
|  | 2065 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 124 | 0 | 0 | 0 | 0 |
|  | 2066 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 9 | 24 | 0 | 0 | 0 |
|  | 2067 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 16 | 0 | 0 | 0 |
|  | 2068 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 1 | 0.00 | 0 |
|  | 2069 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0.00 | 0 |
|  | 2070 | 0 | ${ }^{0}$ | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.16 | 0 |
|  | 2071 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.04 | 0.02 |
|  |  | 129.600 | 448,885 | 731.208 | 1,470,647 | 1,042,047 | 327,641 | 87.197 | 18,661 | 2,548 | 179 | 40 | 2 | 0.20 | 0.02 |
|  |  |  | erall Total = | 4,258,655 |  |  |  |  |  |  |  |  |  |  |  |

# Method 2, With Inflation and Investment Income "Capped" 

|  | Parameters: |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (A) | Evaluation Date |  |  |  | 1/1/97 |  |  |  |
|  | (B) | Current Age: |  |  |  | 35 |  |  |  |
|  | (C) | Annual Indernni | y Payment |  |  | 20,000 |  |  |  |
|  | (D) | Annual Medical | Payment (at | 996 price | els) | 70,000 |  |  |  |
|  | (E) | Indemnity Paid | o Date |  |  | 70,000 |  |  |  |
|  | (F) | Medical Paid to | Date: |  |  | 300,000 |  |  |  |
|  | (G) | Cost-of-Living | dfustment |  |  | 2.9785\% |  |  |  |
|  | (H) | Medical Inflatio | Rate: |  |  | 5.36\% |  |  |  |
|  | (I) | Annual Discoun | Rate: |  |  | 4.3887\% |  |  |  |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) |
|  | Cost of |  |  |  |  | Cumulative | Probability of clainaant | Present |  |
| Year | Living Adjustment | Indemnity <br> Payment | Medical Inflation | Medical Payment | Total <br> Payment | Tetal <br> Peymen | living to mid-year | Value <br> Factor | investment facome |
| Year |  |  |  | Payment | $(2)+(4)$ | Cum of (5) | mid-year |  | bacome $(7) \times(8)$ |
| 1996 and prior |  | 70,000 |  | 300,000 | 370.000 | 370,000 |  |  |  |
| 1997 | 3.0\% | 20,596 | 5.36\% | 73,752 | 94,348 | 464,348 | 0.999 | 0.9788 | 0.9775 |
| 1998 | 3.0\% | 21,209 | 5.36\% | 77,705 | 98,914 | 563,262 | 0.996 | 0.9376 | 0.9339 |
| 1999 | 3.0\% | 21,841 | 5.36\% | 81,870 | 103,711 | 666,973 | 0.993 | 0.8982 | 0.8922 |
| 2000 | 3.0\% | 22,491 | 5.36\% | 86.258 | 108,750 | 775,723 | 0.990 | 0.8604 | 0.8522 |
| 2001 | 3.0\% | 23,161 | 5.36\% | 90,882 | 114,043 | 889.766 | 0.987 | 0.8243 | 0.8139 |
| 2002 | 3.0\% | 23,851 | 5.36\% | 95,753 | 119,604 | 1,009,370 | 0.984 | 0.7896 | 0.7773 |
| 2003 | 3.0\% | 24,562 | 5.36\% | 100,885 | 125,447 | 1,134,817 | 0.981 | 0.7564 | 0.7422 |
| 2604 | 3.0\% | 25,293 | 5.36\% | 106,293 | 131,586 | 1,266,403 | 0.978 | 0.7246 | 0.7087 |
| 2005 | 3.0\% | 26,046 | 5.36\% | 111,990 | 138,037 | 1,404,440 | 0.975 | 0.6941 | 0.6765 |
| 2006 | 3.0\% | 26,822 | 5.36\% | 117.993 | 144,815 | 1,549,255 | 0.971 | 0.6650 | 0.6456 |
| 2007 | 3.0\% | 27,621 | 5.36\% | 124.317 | 151,938 | 1,701,193 | 0.967 | 0.6370 | 0.6160 |
| 2008 | 3.0\% | 28,444 | 5.36\% | 130,981 | 159,425 | 1,860,618 | 0.963 | 0.6102 | 0.5876 |
| 2009 | $30 \%$ | 29,291 | 5.36\% | 138,001 | 167,292 | 2,027,910 | 0.958 | 0.5846 | 0.5602 |
| 2010 | 3.0\% | 30,164 | 5.36\% | 145,398 | 175,562 | 2,203,472 | 0.954 | 0.5600 | 0.5340 |
| 2011 | 3.0\% | 31,062 | 5.36\% | 153.191 | 184,253 | 2,387,725 | 0.948 | 0.5364 | 0.5087 |
| 2012 | 3.0\% | 31,987 | 5.36\% | 161,402 | 193,390 | 2,581,114 | 0.943 | 0.5139 | 0.4844 |
| 2013 | 3.0\% | 32,940 | 5.36\% | 170,054 | 202,994 | 2,784,108 | 0.936 | 0.4923 | 0.4610 |
| 2014 | 3.0\% | 33,921 | 5.36\% | 179,169 | 213,089 | 2,997,197 | 0.930 | 0.4716 | 0.4385 |
| 2015 | 3.0\% | 34,931 | 5.36\% | 188,772 | 223,703 | 3,220,901 | 0.923 | 0.4518 | 0.4168 |
| 2016 | 3.0\% | 35,972 | 5.36\% | 198,890 | 234,862 | 3,455,763 | 0.915 | 0.4328 | 0.3958 |
| 2017 | 3.0\% | 37,043 | 5.36\% | 209,551 | 246,594 | 3,702,356 | 0.906 | 0.4146 | 0.3756 |
| 2018 | 3.0\% | 38,146 | 5.36\% | 220,783 | 258,929 | 3,961,285 | 0.897 | 0.3971 | 0.3561 |
| 2019 | 3.0\% | 39,283 | 5.36\% | 232,617 | 271,899 | 4,233,185 | 0.886 | 0.3804 | 0.3372 |
| 2020 | 3.0\% | 40.453 | 5.36\% | 245,085 | 285,537 | 4,518,722 | 0.875 | 0.3645 | 0.3190 |
| 2021 | 3.0\% | 41,658 | 5.36\% | 258,221 | 299,879 | 4,818,601 | 0.863 | 0.3491 | 0.3014 |
| 2022 | 3.0\% | 42,898 | 5.36\% | 272,062 | 314,960 | 5,133,561 | 0.850 | 0.3345 | 0.2843 |
| 2023 | 30\% | 44.176 | 5.36\% | 286,644 | 330.821 | 5,464,382 | 0.836 | 0.3204 | 0.2679 |
| 2024 | 3.0\% | 45,492 | 5.36\% | 302,009 | 347,501 | 5,811,882 | 0.821 | 0.3069 | 0.2520 |
| 2025 | 3.0\% | 46,847 | $5.36 \%$ | 318,196 | 365,043 | 6,176,926 | 0.805 | 0.2940 | 0.2366 |
| 2026 | 3.0\% | 48,242 | 5.36\% | 335,252 | 383,494 | 6,560,419 | 0.788 | 0.2817 | 0.2218 |
| 2027 | 3.0\% | 49,679 | 5.36\% | 353,221 | 402,900 | 6,963,320 | 0.769 | 0.2698 | 0.2076 |
| 2028 | 3.0\% | 51,159 | 5.36\% | 372,154 | 423,313 | 7,386,632 | 0.750 | 0.2585 | 0.1939 |
| 2029 | $3.0 \%$ | 52,683 | 5.36\% | 392,101 | 444,784 | 7,831,416 | 0.730 | 0.2476 | 0.1808 |
| 2030 | 3.0\% | 54.252 | 5.36\% | 413,118 | 467,370 | 8,298,785 | 0.709 | 0.2372 | 0.1681 |
| 2031 | 30\% | 55,868 | 5.36\% | 435,261 | 491,129 | 8,789,914 | 0.686 | 0.2272 | 0.1560 |
| 2032 | 3.0\% | 57,532 | 5.36\% | 458,591 | 516,123 | 9,305,036 | 0.663 | 0.2177 | 0.1442 |
| 2033 | 3.0\% | 59.245 | 5.36\% | 483.171 | 542.417 | 9,848,453 | 0.638 | 0.2085 | 0.1330 |
| 2034 | 3,0\% | 61,010 | 5.36\% | 509,069 | 570,079 | 10,418,532 | 0.612 | 0.1998 | 0.1222 |
| 2035 | 3.0\% | 62,827 | 5.36\% | 536,356 | 599,182 | 11,017,715 | 0.584 | 0.1914 | 0.1118 |
| 2036 | 3.0\% | 64.698 | 5.36\% | 565,104 | 629.802 | 11,647,517 | 0.556 | 0.1833 | 0.1019 |
| 2037 | 3.0\% | 66,625 | 5.36\% | 595,394 | 662,019 | 12,309.536 | 0.527 | 0.1756 | 0.0925 |
| 2038 | 3.0\% | 68,610 | 5.36\% | 627,307 | 695,917 | 13,005,453 | 0.497 | 0.1682 | 0.0836 |
| 2039 | 3.0\% | 70,653 | 5.36\% | 660,931 | 731,584 | 13,737,036 | 0.466 | 0.1611 | 0.0751 |


|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Cost of |  |  |  |  | Cumulative | Probability of claimant | Present |  |
|  | Living | Indemnity | Medical Inflation | Medical | Total | Total | living to | Value | investment |
| Year |  |  |  |  | Payment $\text { (2) }+$ <br> (4) | Payment Cum. of (5) |  | Factor | income $(7) \times(8)$ |
| 2040 | 3.0\% | 72,758 | 5.36\% | 696,356 | 769,114 | 14,506,150 | 0.435 | 0.1544 | 0.0672 |
| 2041 | 3.04 | 74.925 | 5.36\% | 733,681 | 808,606 | 15,314,756 | 0.403 | 0.1479 | 0.0597 |
| 2042 | 3.0\% | 77,156 | 5.36\% | 773,006 | 850,163 | 16,164,919 | 0.372 | 0.1417 | 0.0526 |
| 2043 | 3.0\% | 79,454 | 5.36\% | 814,440 | 893,894 | 17,058,813 | 0.340 | 0.1357 | 0.0461 |
| 2044 | 3.0\% | 81,821 | 5.36\% | 858,094 | 939,915 | 17,998,728 | 0.308 | 0.1300 | 0.0400 |
| 2045 | 3.0\% | 84,258 | 5.36\% | 904,087 | 988,345 | 18,987,073 | 0.277 | 0.1245 | 0.0345 |
| 2046 | 3.0\% | 86,768 | 5.36\% | 952,546 | 1,039,314 | 20,026,387 | 0.246 | 0.1193 | 0.0294 |
| 2047 | 3.0\% | 89,352 | 5.36\% | 1,003,603 | 1,092,955 | 21,119,342 | 0.217 | 0.1143 | 0.0247 |
| 2048 | 3.0\% | 92.013 | 5.36\% | 1,057.396 | 1,149,409 | 22,268.751 | 0.188 | 0.1095 | 0.0206 |
| 2049 | 3.0\% | 94,754 | 5.36\% | 1,114,072 | 1,208,826 | 23,477,578 | 0.162 | 0.1049 | 0.0170 |
| 2050 | 3.0\% | 97,576 | 5.36\% | 1,173,787 | 1,271,363 | 24,748,941 | 0.137 | 0.1005 | 0.0138 |
| 2051 | 3.0\% | 100,483 | 5.36\% | 1,236.702 | 1,337,184 | 26,086,125 | 0.114 | 0.0962 | 0.0110 |
| 2052 | 3.0\% | 103,475 | 5.36\% | 1,302,989 | 1,406,464 | 27,492,589 | 0.094 | 0.0922 | 0.0086 |
| 2053 | 3.0\% | 106,557 | 5.36\% | 1,372,829 | 1,479,387 | 28,971,976 | 0.075 | 0.0883 | 0.0066 |
| 2054 | 3.0\% | 109,731 | 5.36\% | 1,446,413 | 1,556.144 | 30,528,120 | 0.059 | 0.0846 | 0.0050 |
| 2055 | 3.0\% | 113,000 | 5.36\% | 1,523,940 | 1,636,940 | 32,165,060 | 0.045 | 0.0811 | 0.0037 |
| 2056 | 3.0\% | 116,365 | 5.36\% | 1,605,624 | 1,721,989 | 33,887,049 | 0.034 | 0.0776 | 0.0026 |
| 2057 | 3.0\% | 119,831 | 5.36\% | 1,691,685 | 1,811,516 | 35,698,566 | 0.025 | 0.0744 | 0.0018 |
| 2058 | 3.0\% | 123,400 | 5.36\% | 1,782,359 | 1,905,760 | 37,604,325 | 0.017 | 0.0713 | 0.0012 |
| 2059 | 3.0\% | 127,076 | 5.36\% | 1,877,894 | 2,004,970 | 39,609,295 | 0.012 | 0.0683 | 0.0008 |
| 2060 | 3.0\% | 130,861 | 5.36\% | 1,978,549 | 2,109,410 | 41,718,705 | 0.008 | 0.0654 | 0.0005 |
| 2061 | 3.0\% | 134,759 | 5.36\% | 2,084,599 | 2,219,358 | 43,938,063 | 0.005 | 0.0626 | 0,0003 |
| 2062 | 3.0\% | 138,772 | 5.36\% | 2,196,334 | 2,335,106 | 46,273,169 | 0.003 | 0.0600 | 0.0002 |
| 2063 | 3.0\% | 142,906 | 5.36\% | 2,314,057 | 2,456,963 | 48,730,132 | 0.002 | 0.0575 | 0.0001 |
| 2064 | 3.0\% | 147,162 | 5.36\% | 2,438,091 | 2.585,253 | 51,315,385 | 0.001 | 0.0551 | 0.0000 |
| 2065 | 3.0\% | 151,545 | 5.36\% | 2,568,772 | 2,720,318 | 54,035,703 | 0.0004 | 0.0528 | 0.0000 |
| 2066 | 3.0\% | 156,059 | 5.36\% | 2,706,459 | 2,862,518 | 56,898,220 | 0.0002 | 0.0505 | 0.0000 |
| 2067 | 3.0\% | 160,707 | 5.36\% | 2,851,525 | 3,012.232 | 59,910,452 | 0.0001 | 0.0484 | 0.0000 |
| 2068 | 3.0\% | 165,494 | 5.36\% | 3,004,366 | 3,169,860 | 63,080,313 | 0.00002 | 0.0464 | 0.0000 |
| 2069 | 3.0\% | 170,423 | 5.36\% | 3,165,400 | 3,335,824 | 66,416,137 | 0.00001 | 0.0444 | 0.0000 |
| 2070 | 3.0\% | 175,499 | 5.36\% | 3,335,066 | 3,510,565 | 69,926,702 | 0.000001 | 0.0426 | 0.0000 |
| 2071 | 3.0\% | 180.727 | 5.36\% | 3,513,825 | 3,694,552 | 73,621,254 | 0.0000002 | 0.0408 | 0.0000 |

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## Incremental Payments by Layer


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Incremental Payments by Layer

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Columns are derived by multiplying the corresponding column from Exhibit 4. pages 3 and 4, by Column 9 , from pages 1 and 2 . For example, Column $23=$ Column $10 \times$ Column 9

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Columas are derived by multiplying the corresponding column from Exhibit 4 , pages 3 and 4 , by Column 9 , from pages 1 and 2 . For example, Column $23=$ Column $10 \times$ Column 9

|  | Year | \$500,000 xs | \$500,000 xs | \$1 million xs | \$3 million xs | \$5 million xs | \$5 million $x$ s | \$5 million xs | $\$ 10$ million $\times$ s | \$10 million xs | \$10 million xs | \$10 million xs | \$10 million xs | \$10 million xs |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | \$0 | \$500,000 | \$1 million | \$2 million | \$5 million | $\$ 10$ million | \$15 million | \$20 million | \$30 million | \$40 million | \$50 million | \$60 million | \$70 million |
|  | 2034 | 0 | 0 | 0 | 0 | 18,513 | 51,128 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2035 | 0 | 0 | 0 | 0 | 0 | 67,002 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2036 | 0 | 0 | 0 | 0 | 0 | 64,207 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2037 | 0 | 0 | 0 | 0 | 0 | 61,265 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2038 | 0 | 0 | 0 | 0 | 0 | 58,184 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2039 | 0 | 0 | 0 | 0 | 0 | 54,976 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2040 | 0 | 0 | 0 | 0 | 0 | 51,655 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2041 | 0 | 0 | 0 | 0 | 0 | 29,462 | 18,778 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2042 | 0 | 0 | 0 | 0 | 0 | 0 | 44,748 ${ }^{\text {. }}$ | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2043 | 0 | 0 | 0 | 0 | 0 | 0 | 41,203 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2044 | 0 | 0 | 0 | 0 | 0 | 0 | 37,629 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2045 | 0 | 0 | 0 | 0 | 0 | 0 | 34,054 | 0 | 0 | 0 | 0 | 0 | 0 |
|  | 2046 | 0 | 0 | 0 | 0 | 0 | 0 | 29,736 | 775 | 0 | 0 | 0 | 0 | 0 |
|  | 2047 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 27,047 | 0 | 0 | 0 | 0 | 0 |
|  | 2048 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 23,705 | 0 | 0 | 0 | 0 | 0 |
| m | 2049 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 20,509 | 0 | 0 | 0 | 0 | 0 |
| $\pm$ | 2050 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 17,494 | 0 | 0 | 0 | 0 | 0 |
|  | 2051 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 14,691 | 0 | 0 | 0 | 0 | 0 |
|  | 2052 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 12,125 | 0 | 0 | 0 | 0 | 0 |
|  | 2053 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 9,818 | 0 | 0 | 0 | 0 | 0 |
|  | 2054 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 5,142 | 2,641 | 0 | 0 | 0 | 0 |
|  | 2055 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 6,027 | 0 | 0 | 0 | 0 |
|  | 2056 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 4,546 | 0 | 0 | 0 | 0 |
|  | 2057 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3,331 | 0 | 0 | 0 | 0 |
|  | 2058 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 2,362 | 0 | 0 | 0 | 0 |
|  | 2059 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1,615 | 0 | 0 | 0 | 0 |
|  | 2060 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 196 | 863 | 0 | 0 | 0 |
|  | 2061 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 663 | 0 | 0 | 0 |
|  | 2062 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 393 | 0 | 0 | 0 |
|  | 2063 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 220 | 0 | 0 | 0 |
|  | 2064 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 56 | 58 | 0 | 0 |
|  | 2065 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 55 | 0 | 0 |
|  | 2066 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 24 | 0 | 0 |
|  | 2067 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 9 | 0 | 0 |
|  | 2068 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 3 | 0.00 |
|  | 2069 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 1 | 0.00 |
|  | 2070 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.00 |
|  | 2071 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0.03 |
|  |  | 125,520 | 422,784 | 645,876 | 1,179,539 | 951,989 | 437,878 | 206,147 | 131,305 | 20,718 | 2,195 | 146 | 4 | 0.03 |
|  |  |  | rall Total $=$ | 4,124,102 |  |  |  |  |  |  |  |  |  |  |


[^0]:    1 The classic paper is Ronald Ferguson's Actuarial Note on Workmen's Compensation Loss Reserves (1971), which applied life-table methods to excess indemnity reserves. He did not address the issue of the medical portion of the reserve. Richard Snader (1987) applied similar methods to long-term medical claims. A recent valuable addition to the literature is by Lee Steeneck (1996), who uses an analysis very close to the "Method 2 " that will be discussed later in this paper.

[^1]:    2
    In practice, some reinsurance contracts have commutation clauses in which the parties have negotiated some of the parameters at the time the contract is drawn up. For example, the clause may specify what mortality table to use and what rate to use in discounting the future payments.

    3 This paper will not address the crucial impact of income tax. In looking at the commutation, one must account for taxes without the commutation, compared to taxes with the commutation.
    i) If the claim is not commuted, the reinsurer carries a reserve on its books. For tax purposes, this reserve is discounted by the IRS discount factors, and the unwinding of the reserve is counted into the incurred losses of the company each year. On the other hand, the investment income earned on the reserve is taxable.

[^2]:    8 The inflation model had a lognormal error term, but the medical inflation model has a normal error term. The reason was that I had a strong feeling that the error for inflation was skewed, whereas it is less obvious that the difference between overall inflation and medical inflation (which is largely what drives the medical inflation model) is skewed

[^3]:    9 This is a rather unrealistic model of investment income, but it will be adequate for our purposes. Insurers usually buy longer term investments, especially if they are investing reserves backing lifetime workers' compensation claims. They may also invest in stocks, or other assets, that do not have fixed yields. These complications are beyond the scope of the paper.

[^4]:    Source: Vital Statistics of the United States, 1990 [US Department of Health and Human Services, 1994] Note that the published tables extend only to age 85 ; beyond 85 , the numbers are extrapolations.

[^5]:    Future payments $=11,910,925-370,000=11,540,925$

